(P)fl

# Cheetah - compliant quadruped robot 

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#### Abstract

In this report the mechanical development and implementation of a new quadruped robot "Cheetah" is described in detail. "Cheetah" features three-segment legs with passive compliant knee joints. Each leg has two degrees of freedom - knee and hip joint can be actuated using RC servo motors. Simple electronics to command the actuators from a desktop computer have been designed in order to test the robot. Ideas for more complete autonomous electronics are sketched. Preliminary tests were performed to verify the correct functioning of the mechanical design.


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## 1 Introduction

The objective of this project is to design a compliant quadruped robot leg. It should be similar to the legs of Puppy II $[8,17,18]$ with the additional feature of active leg retraction in order to allow for several gaits. The leg must be as lightweight as possible in order to support high step frequencies - the idea here is to be able to create different gaits: walk, trot and pace. Additionally the knee joint should remain passive compliant, such as it was for Puppy II.
These requirements have consequences: The actuators have to be placed proximal in order to minimize leg inertia. The number of actuated degrees of freedom per leg is two - less actuated degrees of freedom such as for Puppy II would limit the robot to hopping gaits since the leg can't be retracted ${ }^{1}$, more degrees of freedom would increase the overall weight of the robot and it's energy consumption. The leg should consist of three segments since this has been found to be energetically advantageous [7,15].

In a first step, different cinematics and actuation principles will be drafted and evaluated with respect to criterions such as weight, energy consumption, feasibility and robustness.

Next the best design is to be dimensioned, using lots of approximations. Continuoussignal force sensors must be included in the design. Geometrical, mechanical and energy limits have to be evaluated and considered. Then the parts have to be drawn using CAD software, manufactured and assembled.

Finally simple test electronics have to be created, to allow testing of the mechanics and possibly some experiments.

[^0]
## 2 Task description

This semester project ( 12 h per week, 17 weeks) aims at an active compliant leg design for a robot structure similar to the quadruped robot Puppy I and $\mathrm{II}^{2}[8,17,18]$.

The task is to design an extremely lightweight, three-segment leg with two actuated joints; the hip joint and the knee joint. With the additional actuation in the knee joint this robot should be able to actively retract its legs, ultimately resulting in several different dynamic gaits for the quadruped legged robot structure.

Both the actuators for the hip joints and the actuators for the knee joints should be mounted proximal, to decrease the weight of the legs and increase the leg dynamics. Concerning the overall dimensions: we are aiming at a slightly smaller size than Puppy II, main restriction are the available torque delivered by the RC servo motors. The weight of the construction (structure, electronics, possibly including the batteries) should not exceed the weight of the actuators (therefore all parts in sum about 1 kg ). Similar to Puppy II the new robot has to feature robust, non-binary touch sensors. These can be implemented as pressure sensors in the feet or by sensing the deflection of the compliance in the joints, a redundant system is preferred. The foot design of the robot should be modular, to test several different compliant designs. For the same reason the compliance in the $l_{2}$-segment [7,24] (possibly actuated as an in-serieselastic actuation system) should be exchangeable, possibly also into a non-compliant segment.

A complex body of the aimed quadruped robot is not the primary task of this project, however a very simple body frame needs to be included in the construction, to mount on the legs, actuators, batteries, and the electronics.

The project should result in a report, a project presentation, a web page summarising the work done and a CD with developed software and CAD drawings.

[^1]
## 3 Project definition and objective list

### 3.1 Objective list

C: compulsory
O: objective
W: wish

## Functions

| Importance | Objective |
| :---: | :--- |
| C | compliant mammal-like 3-segment leg design |
| O | minimal inertia, proximal motors as sketched in Fig. 4 |
| C | retractable in order to enable different gaits |
| C | compliance through spring in series with retraction mechanism |
| C | actuated hip, 2 actuators per leg |
| C | leg can be disassembled and replaced |
| O | good gait robustness |
| O | mechanically robust and lightweight (total robot weight should not <br> exceed 1 kg) |
| O | modular foot design such that different compliant feet may be tested |
| C | force sensor with gradual output in X and Y direction, see Fig. 4 |
| C | sensing redundancy by measuring $\varphi_{34}$, see Fig. 4 |
| W | include possibility of sagittal oscillations in robot |
| W | adjustable spring constant (through spring replacement) |

## Manufacturing

| Importance | Objective |
| :---: | :--- |
| O | can be easily manufactured at EPFL, preferred is PCB material (FR4), <br> POM or Al/AlMg alloys and/or off-the-shelf components |
| O | dimensioned for use with Kondo KRS-2350 or Dynamixel AX-12+ <br> servo motors, therefore similar to the Puppy II legs |

### 3.2 Timeplan

Figure 1 shows a gantt-chart of the project timeplanning.


Figure 1: Project timeplan

### 3.3 Journal

| Week | Progress |
| :---: | :--- |
| 1 | Detailed Objective list, Paper reading |
| 2 | Hardware sketches and Timeplan |
| 3 | Start construction variant evaluation (leg length actuation), calculations to <br> evaluate leg length and compliance. |
| 4 | Calculations on spring-mass running model, equivalence to the three seg- <br> ment leg. |
| 5 | Choice of elastic element and motor $M_{2}$. |
| 6 | Mechanical design, bearings |
| 7 | Pro/Engineer leg drawings |
| 8 | Pro/Engineer leg drawings - alternative construction, bowden cable and <br> knee actuation motor |
| 9 | Midterm presentation, construction of feet, motors |
| 10 | 2D construction drawings (see Appendix) and IGS files, autonomous elec- <br> tronics meeting with Pierre-André and Alessandro |
| 11 | Small changes to 2D drawings, handing in |
| 12 | Report writing, looking for nonautonomous electronics for first tests |
| 13 | Programming PWM on PIC - did not work due to hardware bug |
| 14 | Programming PWM on PIC - second variant |
| 15 | Writing host software to send setpoints over serial bus, CPG |
| 16 | Leg Assembly |
| 17 | Complete assembly, some tests, slight modifications |

### 3.4 Hardware sketches



Figure 2: Hardware sketch labeling the different points and segment lengths

### 3.4.1 Relative segment lengths

In addition to the absolute segment lengths as defined in Fig. 2, segment lengths relative to the maximum leg length are defined as following (Fig. 3):

The subtraction of the relative distance between segments $l_{2}$ and $l_{4}$, called $\frac{\lambda_{p}}{2}$ in the terms for $\lambda_{1}$ and $\lambda_{3}$ is due to the fact that the studies on relative segment lengths [ $6,7,22,24]$ don't consider pantographic legs specifically, but rather work with only one middle segment. This subtraction is a mean way between considering leg segment $l_{2}$ as the mid segment and neglecting segment $l_{4}$ and the other way around.

$$
\begin{gather*}
\lambda_{0}=\frac{l_{0}}{l_{0}+l_{1}+l_{2}+l_{3}}  \tag{1}\\
\lambda_{1}=\frac{l_{1}}{l_{0}+l_{1}+l_{2}+l_{3}}-\frac{\lambda_{p}}{2} \tag{2}
\end{gather*}
$$

since in many studies for three-segmented legs $l_{0}$ and $l_{1}$ are one segment, we also introduce

$$
\begin{gather*}
\lambda_{01}=\frac{l_{1}+l_{0}}{l_{0}+l_{1}+l_{2}+l_{3}}-\frac{\lambda_{p}}{2}=\lambda_{0}+\lambda_{1}  \tag{3}\\
\lambda_{2}=\frac{l_{2}}{l_{0}+l_{1}+l_{2}+l_{3}}  \tag{4}\\
\lambda_{3}=\frac{l_{3}}{l_{0}+l_{1}+l_{2}+l_{3}}-\frac{\lambda_{p}}{2}  \tag{5}\\
\lambda_{p}=\frac{|C D|}{l_{0}+l_{1}+l_{2}+l_{3}}=\frac{|E F|}{l_{0}+l_{1}+l_{2}+l_{3}} \tag{6}
\end{gather*}
$$



Figure 3: Hardware sketch labeling the angles


Figure 4: Hardware sketch showing actuators, external forces and sensors

## 4 Construction variant evaluation

### 4.1 Actuation of leg length using bowden cables

### 4.1.1 Sketches and explanations


a) flight

b) touchdown
$\mathrm{u}<\mathrm{v}<\mathrm{w}$

c) midstance
a)

b)

c)


Figure 5: Sketch of bowden cable actuation where the external forces act on the spring
There are two main ways of modifying the leg length. The first way is by connecting points F and C (points are labelled in Fig. (2) as shown in Fig. 5. The alternative to this is to connect points E and D as sketched in Fig. 6.


Figure 6: Sketch of bowden cable actuation where the external forces act as tension on the bowden cable and thereby on the motor

In the first case, shown in Fig. 5 the compressive spring extends the leg before touchdown and becomes then gravity loaded. The spring may or may not be precharged. The motor only serves to retract the leg during flight phase and to support leg retraction during the first part of the stance phase, loading thereby the spring.

The disadvantage of this system is that if the spring is not preloaded, the force at touchdown is very low which leads to a large leg retraction until midstance. If however the spring is preloaded, the motor torque required for leg retraction increases significantly, especially when compared to the solutions sketched in Fig. 6 and 7 .

As sketched the bowden cable is not tense during stance, if this is a problem the motor can tense the cable based on the angular sensor feedback.

In the second case (Fig. 6) a relaxing compressive spring retracts the leg during flight phase. It only needs strength sufficient for leg retraction. Before touchdown the servo motor loads the spring, extending thereby the leg. During stance the motor may either remain in the position it took at touchdown, or it may let the spring (and thus the leg) extend slightly until midstance, as shown in Fig. 6.

The disadvantage of this solution is that there's no compliance in the system, at least not at this level - this results in higher control demands. The external force at touchdown is applied directly through the bowden cable to the motor, which requires either energy for keeping the motor position or alternatively complying a little until midstance or makes the introduction of a mechanical stop necessary, as sketched by the dotted line and the gray areas.

A possible solution to the lacking in series compliant actuator in Fig. 6 is shown in Fig. 7. The actuation principle is the same, except for the added tensile spring which is precharged due to the green solid cylinder, as sketched in the figure.

However such a solution is rather complicated: The two springs have to be tuned, the system takes a lot of space and a mechanical stop has to be introduced somehow, taking space and adding weight to the system.

### 4.1.2 Evaluation table

For each criterion a rating $R \in[0,4]$ is awarded, 0 being the worst and 4 the best rating.

The variants rated in Table 1 are:

- Variant 1: as in Fig. 5 with and without precharged spring
- Variant 2: as in Fig. 6 with motor fixed and compliant during stance

Furthermore a weight $W$ is introduced, to represent the importance of each criterion.

Multiplying weights $W$ with rating $R$ and summing over all criterions a number representing the quality of the solution is obtained (the larger the better).


Figure 7: Sketch of bowden cable actuation where the external forces act as tension on the bowden cable and the precharged in-series tensile spring

| Criterion | Weight | Variant 1 |  | Variant 2 |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | W | R | $R \cdot W$ | R | $R \cdot W$ |
| Motor power and size | 3 | 2,3 | 6,8 | 4,2 | 12,6 |
| Command simplicity | 1 | 4 | 4 | 4,0 | 4,0 |
| Compliance | 2 | 4,2 | 8,4 | 0,2 | 0,4 |
| Required Spring length/force | 1 | 3 | 3 | 4 | 4 |
| Spring easily replaced | 2 | 3 | 6 | 3 | 6,6 |
| Sum |  |  | 27,25 |  | 26,20 |

Table 1: Evaluation table for different leg actuation schemes

## 5 Morphology and spring-mass modelling

### 5.1 Relative leg segment length

X-ray studies [12] show, that for small mammals the leg segments $l_{3}$ and $l_{1}$ (Fig. 2) are indeed nearly parallel during walking and running, which justifies the use of a pantograph mechanism.

There exist only a few recent studies $[6,7,22,24]$ on the relative segment lengths of three-segmented legs and their influence on energy efficiency, achievable acceleration.

Of these studies one [24] focuses mainly on stability, the risk of having the leg leave the " $Z$ "-configuration. This leads to the suggestion of using a relative middle segment length $\lambda_{2}$ of around 0.4 for symmetrical operation (" $Z$ "-configuration, both joint angles as defined in Fig. 3 are equal $\varphi_{14}=\varphi_{34}$ ) in order to prevent the leg configuration from becoming unstable and leaving the symmetrical configuration in favour of an asymmetrical one with non-equal segment angles $\varphi_{14} \neq \varphi_{34}$.

However these considerations are not important when a pantographical leg design is used - the leg segments $l_{1}$ and $l_{2}$ are always parallel, the angles $\varphi_{14}$ and $\varphi_{34}$ always equal.

Therefore we can concentrate on other considerations than stability when selecting the relative segment lengths. In terms of energy [7] a relative shank length $\lambda_{2}=0.45$ and a ratio between foot and thigh length of $\frac{\lambda_{01}}{\lambda_{3}}=0.4$ which results in relative segment lengths of $\lambda_{01}=0.16$ and $\lambda_{3}=0.39$ seems to be optimal. However this is in nature only seen for humans and large quadruped animals and comes at the cost of rather low acceleration.

For smaller mammals equal segment lengths $\lambda_{01}=\lambda_{2}=\lambda_{3}=\frac{1}{3}$ with relatively equal segment angles $\varphi_{14}=\varphi_{34}$ seem to be optimal for locomotion in crouched posture $[6,15,21]$. The advantage of this configuration is a large working range and good acceleration properties, since less torque is required for a certain acceleration. Interestingly enough similar relative leg segment lengths can be observed for different cats [10], though usually featuring a slightly shorter foot segment

Now the interesting question is to which group small cats such as the robot under construction belong. Considering the posture of small cats and an article on animal gaits [3] which considers dogs and cats in general as cursorial mammals it is decided to use the relative segment lengths (Fig. 3) proposed by [7].

$$
\begin{align*}
& \lambda_{01}=0.16  \tag{7}\\
& \lambda_{2}=0.45  \tag{8}\\
& \lambda_{3}=0.39 \tag{9}
\end{align*}
$$

In addition a total leg length for the fore legs is fixed to

$$
\begin{equation*}
l=l_{\text {fore }}=l_{0}+l_{1}+l_{2}+l_{3}=150 \mathrm{~mm} \tag{10}
\end{equation*}
$$

while the hind legs are going to be $20 \%$ longer as observed for several cat species such as the cheetah and lions [10]

$$
\begin{equation*}
l_{\text {hind }}=\frac{120}{100} l_{\text {fore }}=180 \mathrm{~mm} \tag{11}
\end{equation*}
$$

Admittedly the observed length difference for domestic cats which are of similar size as the robot is around $38 \%$ rather than $20 \%$, but such a huge leg length difference would induce quite some construction problems and is therefore currently not realistic.

For the following calculations only the fore leg length $l$ from Eq. 10 will be used.
The robot mass is estimated to:
$m=\approx 4 \cdot 100 \mathrm{~g}[$ leg $]+8 \cdot 58 \mathrm{~g}[$ motors $]+100 \mathrm{~g}[$ battery $]+100 \mathrm{~g}[$ electronicsandback $] \approx 1 \mathrm{~kg}$
Using the local coordinate system $X_{0}, Y_{0}, Z_{0}$ (Fig. 2) the relative leg length $l_{\lambda}=$ $\frac{|A G|}{l_{0}+l_{1}+l_{2}+l_{3}-d_{14}}$ can be expressed in function of the angles $\varphi=\varphi_{14}=\varphi_{34}$ and the relative leg segment lengths (Fig. 3, Eq. 7, 8 and 9 ):

$$
\mathbf{l}_{\lambda}=\lambda_{01}+\lambda_{\mathbf{2}}+\lambda_{\mathbf{3}}=\binom{0}{1} \lambda_{01}+\binom{\sin \varphi}{-\cos \varphi} \lambda_{2}+\binom{0}{1} \lambda_{3}
$$

The modulus of the leg vector gives the relative leg length

$$
\begin{equation*}
l_{\lambda}=\left|\mathbf{l}_{\lambda}\right|=\sqrt{\lambda_{2}^{2} \sin ^{2} \varphi+\left(\lambda_{01}-\lambda_{2} \cos \varphi+\lambda_{3}\right)^{2}} \tag{13}
\end{equation*}
$$

whereas the inverse equation $\varphi\left(l_{\lambda}\right)$ is:

$$
\begin{equation*}
\cos (\varphi)=\frac{\lambda_{01}^{2}+\lambda_{2}^{2}+\lambda_{3}^{2}+2 \lambda_{01} \lambda_{3}-l_{\lambda}^{2}}{2 \lambda_{2}\left(\lambda_{01}+\lambda_{3}\right)} \tag{14}
\end{equation*}
$$

while the angle $\alpha_{l e g}$ (Fig. 3) between the whole leg GA and the thigh segment $l_{3}$ amounts to

$$
\begin{equation*}
\cos \alpha_{l e g}=\frac{l_{\lambda} \cdot\binom{0}{1}}{l_{\lambda}}=\frac{\lambda_{01}-\lambda_{2} \cos \varphi+\lambda_{3}}{l_{\lambda}} \tag{15}
\end{equation*}
$$

### 5.2 Expected gaits and corresponding velocities

In order to estimate the forces in play it is useful to know what gaits will be used at which speeds. It has been shown [3] that for the same Froude number, most quadruped animals show similar gaits.

The Froude number is defined as:

$$
\begin{equation*}
F=\frac{v^{2}}{g h} \sim \frac{h f^{2}}{g} \tag{16}
\end{equation*}
$$

where $g=9.81 \frac{m}{s^{2}}$ is the gravitational acceleration, $h$ the leg length, $v$ the velocity and $f$ the leg stroke frequency.

| Froude number | Associated gait | Duty factor $D$ | Corresponding velocity $\left[\frac{m}{s}\right]$ |
| :---: | :--- | :---: | :---: |
| 0.5 | amble or walk | 0.7 | 0.8 |
| 1 | trot or pace (sym- <br> metric running <br> gaits) | 0.5 | 1.1 |
| $2-3$ | canter or gallop <br> (asymmetric gaits) | 0.4 | 1.6 |

Table 2: Froude numbers (Eq. 16) and associated gaits

|  |  | amble |  | trot |  | canter |  | transverse gallop |  | rotary gallop |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: | :---: |
| LF | RF | 0 | $\frac{1}{2}$ | 0 | $\frac{1}{2}$ | 0 | 0.3 | 0 | 0.1 | 0 |
| LH | RH | $\frac{3}{4}$ | $\frac{1}{4}$ | $\frac{1}{2}$ | 0 | 0.7 | 0 | 0.5 | 0.6 | 0.6 |

Table 3: Phase differences for the most common gaits, normalised to 1

Another important data is the duty factor, defined as the ratio between stance time and total step time:

$$
\begin{equation*}
D=\frac{T_{\text {stance }}}{T_{\text {step }}} \tag{17}
\end{equation*}
$$

The same study [3] also mentions some typical Froude numbers and the associated gaits as listed in Table 2, The approximate velocities corresponding to these froude numbers for a leg length of $h=l_{\text {leg }} \cdot \lambda_{\text {touchdown }}=136 \mathrm{~mm}$ (Eq. 24 and 10) and the corresponding duty factors $D$ are listed as well.

However the velocities suggested by mammals of similar size [3] can in practise not be realised, the Kondo motor limits the leg stroke frequency to about 2.67 Hz (Eq. 21) and thereby the velocity to $v_{\max }=1.04 \frac{\mathrm{~m}}{s}$ (Eq. 22 ).

The gaits are defined $[3,14]$ by the phase difference between the four legs as listed in Table 3 .

In order to verify that the velocities mentioned in Table 2 and the velocity calculated based on the motor limitations (Eq. 22) are realistic, they were compared to the maximum velocities of comparable robots:

- Tekken II [19] achieves $v_{\max }=0.7 \frac{\mathrm{~m}}{\mathrm{~s}}$
- Tekken IV [20] achieves $v_{\max }=1.5 \frac{\mathrm{~m}}{\mathrm{~s}}$

So our estimation in Table 2 and Eq. 22 is not unrealistic.

### 5.3 Geometrical restrictions for compliance

In order to dimension the compliant parts of the leg it is important to estimate how much it should retract during stance.

The maximal leg retraction is limited by the geometry of the system: point D (Fig. 2) must not touch the ground, which would imply $\beta=\alpha_{\text {leg }}$ (Fig. 3). Since the dynamics
of the systems are complicated, a worst-case scenario is evaluated: It is assumed that the leg has it's minimal length at touchdown (and not during midstance).

The angle of attack $\beta_{\text {attack }}$ ( $\beta$ in Fig. 3 at touchdown) of the system can be estimated ${ }^{3}$ [11] as:

$$
\begin{equation*}
\beta_{\text {attack }} \geq 55^{\circ} \tag{18}
\end{equation*}
$$

whereas the opposite angle is the half-angle swept during stance:

$$
\begin{equation*}
\alpha_{\text {stance }} \leq 35^{\circ} \tag{19}
\end{equation*}
$$

Now the limiting conditions can be found quite easily. It is known that $\beta_{\text {attack }}=$ $55^{\circ}=\alpha_{l e g}$ defines the limit of the system, where $\alpha_{l e g}$ is defined in Eq. 15 and 13 . Solving these equations for $\varphi=\varphi_{12}=\varphi_{14}$ the minimal allowed angle $\varphi_{\min }$ is found

$$
\begin{equation*}
\varphi_{\min }=19.43^{\circ} \tag{20}
\end{equation*}
$$

even if we add some margin this problem can be neglected.

### 5.4 Estimation of the required spring constant in the spring-mass running model

Replacing the complex three-segmented leg with a simple spring-mass model as it is common for modelling of (mostly) running gaits [7,13,23], the required equivalent spring constant of the leg can be estimated.

Since the eigenfrequency of the system can not be changed in function of the velocity, it will be calculated at maximum velocity, which is limited by the frequency the Kondo motor can provide ${ }^{4}$ (Eq. 19):

$$
\begin{equation*}
f_{\text {max }, \text { kondo }}=\frac{1}{\omega_{\text {kondo }} \cdot 2 \alpha_{\text {stance }} \cdot \frac{1}{D}}=\frac{1}{\frac{0.16}{60} 2 \cdot 35 \frac{1}{0.5}}=2.67 \mathrm{~Hz} \tag{21}
\end{equation*}
$$

The half-angle swept during stance $\alpha_{\text {stance }}=35^{\circ}$ (Eq. 19) permits also the calculation of how much the robot advances during the stance part of one step cycle (Eq. 10 and 24):

$$
\Delta X_{\text {stance }}=2 \cdot \sin \left(\alpha_{\text {stance }}\right) \cdot l_{\lambda, \text { touchdown }} \cdot l=0.156 \mathrm{~m}
$$

Knowing the duty factor ( $D=0.4$ for gallop is assumed), we also know how much the robot advances during one complete step cycle:

$$
\Delta X_{\text {step }}=\frac{\Delta X_{\text {stance }}}{D}=0.39 \mathrm{~m}
$$

[^2]Since the maximum step frequency is known, the corresponding velocity can be calculated:

$$
\begin{equation*}
v_{\max }=\Delta X_{\text {step }} \cdot f_{\text {max.kondo }}=0.39 \mathrm{~m} \cdot 2.67 \mathrm{~Hz}=1.04 \frac{\mathrm{~m}}{\mathrm{~s}} \tag{22}
\end{equation*}
$$

Since for gallop gaits, the spring nearly always works in parallel with another spring of same spring constant (Tables 3 and 2), the eigenfrequency of the system is:

$$
\omega=2 \pi f=\sqrt{\frac{2 k_{l e g}}{m}}
$$

where the robot mass is assumed as $m=1 \mathrm{~kg}$ (Eq. 12).
Solving for the leg spring constant it is found that for $f_{\text {max,kondo }}=2.67 \mathrm{~Hz}$ the spring constant is:

$$
\begin{equation*}
k_{\text {leg }}=\frac{1}{2} m\left(2 \pi f_{\text {max }, \text { kondo } o}\right)^{2}=140 \frac{\mathrm{~N}}{\mathrm{~m}} \tag{23}
\end{equation*}
$$

### 5.5 Minimal leg length at midstance in spring-mass model

A leg angle at touchdown of $\varphi_{\text {touchdown }}=130^{\circ}$ is assumed, which corresponds to the mean value of scapula, elbow, knee and ankle joint angles of different sized cats [10]. Smaller mammals on the contrary use often more crouched postures and therefore have slightly smaller leg segment angles along with the different relative leg segment lengths [12].

This results in a relative leg length (Eq. 13) of

$$
\begin{equation*}
l_{\lambda, \text { touchdown }}=\sqrt{\left(\lambda_{2} \sin (\varphi)\right)^{2}+\left(\lambda_{01}-\lambda_{2} \cos (\varphi)+\lambda_{3}\right)^{2}}=0.91 \tag{24}
\end{equation*}
$$

and a length of the spring assembly of

$$
\begin{equation*}
l_{s, \text { touchdown }}=|C F|=\operatorname{sqrt}\left(l_{2}^{2}+d_{14}^{2}-2 \cdot d_{14} \cdot l_{2} \cos (\varphi)\right)=75.8 \mathrm{~mm} \tag{25}
\end{equation*}
$$

Assuming furthermore a velocity ( $v_{\max }=1.04 \frac{\mathrm{~m}}{\mathrm{~s}}$ for running, Eq. 22), mass ( $m^{\prime}=$ $\frac{m}{2}=\frac{1}{2} k g$ (Eq. 12, where it is assumed that two legs share the robot weight - an assumption justified by the small phase difference for gallop, Table 3), spring constant $k_{\text {leg }}=140 \frac{N}{m}$ (Eq. 23) and an angle of attack of $\beta_{\text {attack }}=55^{\circ}$ (Eq. 18), the minimal leg length during stance can be calculated for a simple spring-mass model [13] (using equations 1 to 12 ).

The following minimal relative leg length is obtained ( a and b as defined in [13])

$$
\begin{equation*}
l_{\lambda, \min }=l_{\lambda, \text { touchdown }} \cdot(1+a-b)=0.62 \tag{26}
\end{equation*}
$$

and a stored elastic energy of (Eq. 10 and 24)

$$
\begin{equation*}
E=\frac{k_{\text {leg }}}{2} \cdot\left(l \cdot\left(l_{\lambda, \text { touchdown }}-l_{\lambda, \text { min }}\right)\right)^{2}=0.13 \mathrm{~J} \tag{27}
\end{equation*}
$$

### 5.6 Finding the spring constant of the leg through the static equilibrium equations

Writing the static equilibrium equations, where $\varphi=\varphi_{12}=\varphi_{14}$ :

$$
\begin{align*}
& \sum F_{X_{0}}=P \sin \left(\alpha_{l e g}\right)-F_{2} \sin \varphi-F_{4} \sin \varphi-F_{s} \sin \gamma=0  \tag{28}\\
& \sum F_{Y_{0}}=P \cos \left(\alpha_{l e g}\right)+F_{2} \cos \varphi+F_{4} \cos \varphi-F_{s} \cos \gamma=0  \tag{29}\\
& \sum M_{A}=\left(l_{01}-d_{14}\right)\left(F_{2} \sin \varphi+F_{s} \sin \gamma\right)+l_{01} F_{4} \sin \varphi=0 \tag{30}
\end{align*}
$$

It is assumed that the ground reaction force is applied along the leg, that is in direction AG (Fig. 2) which results in an angle $\alpha_{l e g}$ (Eq. 15) between ground reaction force and the lower leg segment $l_{01}$.

This has been shown as being valid at midstance, where we expect the largest leg contraction amplitude and force, for small quadruped mammals [5].

Furthermore the spring length amounts to

$$
l_{s}(\varphi)=\sqrt{l_{2}^{2}+d_{14}^{2}-2 d_{14} l_{2} \cos \varphi}
$$

and the angle $\gamma$ is

$$
\gamma=\arcsin \left(\frac{l_{2}}{l_{s}} \sin \varphi\right)
$$



Figure 8: Sketch of forces on the lower leg segment $l_{01}$

The spring force is given by

$$
F_{s}=k\left(l_{s, 0}-l_{s}\right)
$$

The unknowns are: $F_{2}, F_{4}, P, \varphi$ (and $F_{s}$ which depends on $\varphi$ )
We can solve the equation system for different leg angles $\varphi$, thus obtaining a function that describes the nonlinear spring constant in function of leg angle $\varphi$ or relative leg length (Eq. 13).

A plot of this function (Fig. 9) shows clearly the nonlinearity of the relationship. For low external forces, the obtained length and angle change is quite large. From a leg angle of $\varphi=60^{\circ}$ and a relative leg length of about $\lambda_{\text {leg }}=0.58$ the leg becomes stiffer. If the external force is increased further the leg becomes unstable, once the force peak is passed.


Figure 9: Plot of the relationship between leg length or angle and external force

Solving the equilibrium equations furthermore results in the internal leg forces along segments $l_{2}$ and $l_{4}$ (Fig. 10). During a normal stance cycle the forces are very low - in the order of ten newton at midstance (Eq. 26).

### 5.7 Leg length range

The spring choice is also influenced by the required leg length range - the maximal leg length is $l_{\lambda, \text { touchdown }}=0.91$ (Eq. 24), at which the spring is assumed to be completely relaxed. The maximal spring contraction amounts occurs during the swing phase, where the motor has to retract the leg more than it retracts itself during stance (Eq. 26).

It is assumed that a leg rectraction exceeding the retraction during stance by one third is sufficient. Thus a minimal relative leg length of

$$
\begin{equation*}
l_{\lambda, \min }=0.50 \tag{31}
\end{equation*}
$$

is required.
Since the length of the spring assembly at touchdown $l_{s, \text { touchdown }}$ is known (Eq. 25 and the length of the spring assembly during retraction amounts to

$$
\begin{equation*}
l_{s, \text { retracted }}=|C F|=\operatorname{sqrt}\left(l_{2}^{2}+d_{14}^{2}-2 \cdot d_{14} \cdot l_{2} \cos (\varphi)\right)=62.2 \mathrm{~mm} \tag{32}
\end{equation*}
$$

the spring has to have a working range of at least (Eq. 25 and 32)

$$
\begin{equation*}
s_{n}=l_{s, \text { touchdown }}-l_{s, \text { retracted }}=13.6 \mathrm{~mm} \tag{33}
\end{equation*}
$$

### 5.8 Energetic equivalence between real-world leg and spring-mass model

The problem at this point is to translate the requirements on the linear spring in the spring-mass model into requirements on the real-world three segment leg, which can be considered as a nonlinear spring.

The easiest way to match the two models is to consider elastic energy and leg length. The elastic energy that has to be stored is the same in both models.



Figure 10: Plot of the relationship between leg length or angle and internal forces in segments $l_{2}$ and $l_{4}$

Knowing the force-displacement function for the real world leg (Fig. 9), the leg length for a certain stored elastic energy can be calculated by integrating the force $F_{\text {leg }}$ over the leg length change $\Delta l_{\text {leg }}$.

Now different springs have to be tested, looking for one that results in a relative leg length as given by Eq. 26 at a stored elastic energy of Eq. 27.

A spring according to DIN 2098-1 is used. The data is shown in Table 4 and the energy graph is shown in Fig. 11, which corresponds closely to the spring-mass model used before. It is assumed that the spring is not precharged at touchdown.

| wire diameter $d[\mathrm{~mm}]$ | 1 |
| :---: | :---: |
| mean diameter $D_{m}[\mathrm{~mm}]$ | 9.3 |
| hole diameter into which spring fits $D_{a}[\mathrm{~mm}]$ | 10.3 |
| pin diameter on which spring fits $D_{d}[\mathrm{~mm}]$ | 8 |
| relaxed length $l_{0}[\mathrm{~mm}]$ | 25 |
| maximal displacement $s_{n}[\mathrm{~mm}]$ | 17 |
| number of working turns $n$ | 5.5 |
| spring constant $k\left[\frac{N}{\mathrm{~mm}}\right]$ | 2.3 |

Table 4: Din 2098-1 spring data


Figure 11: Plot of the relationship between leg length and stored energy
The force the motor has to provide in order to retract the spring to it's minimal length amounts to (Eq. 33 and Table 4)

$$
\begin{equation*}
F_{\text {retract }}=k_{\text {spring }} \cdot \Delta l_{\text {spring }}=2.3 \cdot 10^{3}\left[\frac{\mathrm{~N}}{\mathrm{~m}}\right] \cdot 13.6 \cdot 10^{-3}[\mathrm{~m}]=31.6[\mathrm{~N}] \tag{34}
\end{equation*}
$$

### 5.9 Estimating friction in the wire guiding cable

On the robot, the motor does not directly actuate the spring but rather does so by means of a cable. Friction in the cable adds to the required motor force. However estimating the amount of friction is a difficult task - to start with, the exact cable trajectory would have to be known, which is obviously not the case.

A rough estimation can nevertheless be performed, replacing the cable guiding spring with two friction points that force the cable to a Z-shaped trajectory (Fig. 12).


Figure 12: Sketch of forces assumed for friction estimation

The angles of $45^{\circ}$ are randomly assumed - as mentioned before the wire trajectory as function of time is unknown. The force creating the friction is $F_{N}$ - as long as the wire follows a straight trajectory in it's guiding spring there's almost no friction, only when the guiding spring is bent, friction increases.

Calculating $F_{N}$ is straightforward - projecting all the forces on the vertical axis:

$$
\begin{equation*}
F_{N}=F_{\text {motor }} \cdot \sqrt{2}+F_{\text {motor }} \cdot \sqrt{2}=2 \sqrt{2} F_{\text {motor }} \approx 85 N \tag{35}
\end{equation*}
$$

The friction force along the wire is therefore:

$$
\begin{equation*}
F_{\text {friction }}=\mu F_{N}=0.1 \cdot 85 N=8.5 \mathrm{~N} \tag{36}
\end{equation*}
$$

Knowing that a lubricant is used, the friction coefficient is assumed to be $\mu=0.1$. This is the upper bound of the range given by [9]: $0.04<\mu<0.1$ for friction of steel on steel with grease.

In order to achieve the Z-shaped trajectory, two friction points are needed. Therefore the total friction force amounts to:

$$
\begin{equation*}
F_{\text {friction }, \text { tot }}=2 \cdot F_{\text {friction }}=17 \mathrm{~N} \tag{37}
\end{equation*}
$$

The total the motor needs to provide is thus (Eq. 34):

$$
\begin{equation*}
F_{\text {retract,tot }}=F_{\text {retract }}+F_{\text {friction,tot }}=31.6 N+17 N \approx 50 \mathrm{~N} \tag{38}
\end{equation*}
$$

### 5.10 Dynamics in the spring-mass model using a nonlinear spring

As in [13] the Lagrangian is:

$$
\begin{equation*}
L=\frac{m}{2}\left(\dot{r}^{2}+r^{2} \dot{\varphi}^{2}\right)-\frac{k(r)}{2}\left(l_{0}-r\right)^{2}-m g r \sin \varphi \tag{39}
\end{equation*}
$$

This results in the following equations of motion for the system:

$$
\begin{equation*}
\frac{d}{d t}\left(\frac{\partial L}{\partial \dot{\varphi}}\right)-\frac{\partial L}{\partial \varphi}=\frac{d}{d t} m r^{2} \dot{\varphi}-m g r \cos \varphi=0 \tag{40}
\end{equation*}
$$

and

$$
\begin{equation*}
\frac{d}{d t}\left(\frac{\partial L}{\partial \dot{r}}\right)-\frac{\partial L}{\partial r}=\frac{d}{d t}(m \dot{r})+m r \dot{\varphi}^{2}+k(r)\left(l_{0}-r\right)-m g \sin \varphi-\frac{d k(r)}{d r} \frac{\left(l_{0}-r\right)^{2}}{2}=0 \tag{41}
\end{equation*}
$$

which is equivalent to:

$$
\begin{equation*}
m \ddot{r}=k(r)\left(l_{0}-r\right)-\frac{d k}{d r} \frac{\left(l_{0}-r\right)^{2}}{2}+m r \dot{\varphi}^{2}-m g \sin \varphi \tag{42}
\end{equation*}
$$

Equations 40 and 42 can be transformed into a set of ordinary differential equations, substituting $x_{1}=\varphi, x_{2}=\dot{\varphi}, x_{3}=r$ and $x_{4}=\dot{r}$ :

$$
\begin{align*}
\dot{x_{1}} & =x_{2}  \tag{43}\\
\dot{x_{2}} & =\frac{g \cos x_{1}}{x_{3}}-2 \frac{x_{2} x_{4}}{x_{3}}  \tag{44}\\
\dot{x_{3}} & =x_{4}  \tag{45}\\
\dot{x_{4}} & =\frac{k(r)}{m}\left(l_{0}-x_{3}\right)-g \sin \left(x_{1}\right)+x_{3} x_{2}^{2}-\frac{d k}{d r} \frac{1}{2 m}\left(l_{0}-x_{3}\right)^{2} \tag{46}
\end{align*}
$$

these equations can be solved to find the spring-mass running behaviour when using a spring that is equivalent to the three-segment pantograph leg.

The solution for given initial conditions ( $v=1.04 \mathrm{~m} / \mathrm{s}, m=0.5 \mathrm{~kg}$ ) is shown in Fig. 13- this results in a step duration of $T=0.09 \mathrm{~s}$ and thus a frequency of 5.6 Hz .

The body bounces back a bit faster than we'd like - the knee motor will have work a bit here to prolong step duration. Alternatively using a weaker spring might be a solution - however this induces a lot of changes: the leg length variation during a stance phase increases, therefore the leg must be retracted more during the swing phase as well, which is quite hard to achieve mechanically.


Figure 13: Plot of the leg length in a stance cycle

## 6 Dimensioning and mechanical construction

### 6.1 Motor dimensioning

The spring length change amounts to $s_{n}=13.6 \mathrm{~mm}$ (Eq. 33) which thus also is the length over which the motor must be able to displace the bowden cable.

### 6.1.1 First dimensioning approach



Figure 14: Hardware sketch showing motor $M_{2}$, lever and bowden cable
Assuming that the motor should be in an equilibrium situation both during swing and stance phase (the most plausible alternative being continuous operation in one rotation direction) the lever has necessarily a length of $l_{\text {lever }}=\frac{s_{n}}{2} \approx 7 \mathrm{~mm}$. Based on simple geometrical calculations, the required motor torque can be calculated - all the lengths are named in Fig. 14.

The spring force is

$$
F_{s}=k \cdot\left(y\left(\Theta_{M 2}\right)-d\right)
$$

where $y-d$ is the spring length change and the length y is given by

$$
y^{2}=l_{\text {lever }}^{2}+\left(l_{\text {lever }}+d\right)^{2}-2 l_{\text {lever }}\left(l_{\text {lever }}+d\right) \cos \Theta_{M 2}
$$

and

$$
y_{s}=\left(l_{\text {lever }}+d\right) \cdot \sin \Theta_{M 2}
$$

Thus the projection of $F_{s}$ on the normal to the lever amounts to

$$
F_{s, \perp}=F_{s} \frac{y_{s}}{y}
$$

which means that the required motor moment is

$$
M_{M 2}=l \cdot F_{s, \perp}=l \cdot F_{s} \frac{y_{s}}{y}
$$

Solving these equations for a given distance $d=10 \mathrm{~mm}$ gives a graph like Fig. 15 , In order to find the optimal distance $d$, the maximal value for different distances $d \in$ [050] mm is plotted in Fig. 16 .

In any case the distance d does not strongly influence the required motor moment it amounts to

$$
\begin{equation*}
M_{\text {motor }}=0.13 \mathrm{Nm} \tag{47}
\end{equation*}
$$



Figure 15: Plot of motor moment depending in function of angle for $d=10 \mathrm{~mm}$
In addition the dynamic requirements (inertia and time) should be considered. However the total leg mass is very small - less than 50 g and the acceleration does not have to be very high, so the dynamic properties of the system may be neglected; even more so since the spring contraction force in the beginning when the system has to be accelerated is very small.

The demanded torque can easily be delivered by a Dynamixel AX-12. However the angular velocity is a problem since the Kondo KRS-2350 ICS used as hip motor provides a angular of $0.16 \mathrm{~s} / 60^{\circ}$. During one step cycle this motor only sweeps twice an angle of $70^{\circ}$ - in contrast the knee motor has to move twice from $0^{\circ}$ to $180^{\circ}$ and
back, the required velocity is 5.1 times as high: $0.031 \mathrm{~s} / 60^{\circ}$ (see Fig. 18 for a sketch of the motor trajectories over time).

This is not possible with common servos, since they all have a rather high reduction factor and therefore a low maximum velocity - possible solutions to this problem are:

- instead of using a Kondo or Dynamixel servo use a motor with a custom-made gear and a reduction ratio well fit for the problem
- use a Kondo or Dynamixel servo but add a reductor with reduction factor $r<1$ at the output - this is quite obviously everything but optimal
- use a servo but with a longer lever arm - the servo moves only by about $30^{\circ}$ to completely contract the spring

The first option has the advantage that an optimal motor-gear combination can be selected; however this requires a lot of work for the gear design, a motor controller has to be implemented manually and the supply voltage of the motor might differ from the Kondo servos. This choice would increase the complexity of the electric and mechanical system.

In this context the third option is the most favourable: The same Kondo servo motor will be used as for the hip, using a long lever arm. The advantage of this choice is that the command signals and the required supply voltage are exactly the same as for the hip motors.


Figure 16: Plot of maximum required motor moment in function of distance $d$

### 6.1.2 Second dimensioning approach

As mentioned before, a long lever arm will be used. Since it is simplest to use the same command signals everywhere and the $360^{\circ}$ capabilities of the Dynamixel motors are not required, Kondo KRS-2350 motors will be used.

Since using cables without cladding (for instance over distance d in Fig. 14) do not provide a relevant advantage with respect to the required motor torque, a configuration with $d=0$ (definition of d: Fig. (14) such as shown in Fig. 17 will be used. This has the advantage of greater robustness - even if someone touches the cables, the system is not disturbed.


Figure 17: Hardware sketch showing motor $m_{2}$, long lever and bowden cable
The relation between the given geometric variables is:

$$
\begin{equation*}
\frac{y}{2}=l_{\text {lever }} \cdot \sin \left(\frac{\alpha}{2}\right) \tag{48}
\end{equation*}
$$

Assuming that the motor provides a torque of $M_{\text {motor }}=1 N m$ (the Kondo motor can provide up to 2 Nm ), the required length $l_{\text {lever }}$ is (Eq. 34) ${ }^{5}$

$$
\begin{equation*}
l_{\text {lever }}=\frac{M_{\text {motor }}}{F_{\text {retract }}}=\frac{1 \mathrm{Nm}}{31.6 \mathrm{~N}} \approx 32 \mathrm{~mm} \tag{49}
\end{equation*}
$$

and the angle the motor has to move amounts to ( $y=s_{n}$ from Tab. 4)

$$
\begin{equation*}
\Delta \theta_{M 2}=2 \cdot \arcsin \left(\frac{y}{2 l_{\text {lever }}}\right)=2 \cdot \arcsin \left(\frac{13.6 \mathrm{~mm}}{2 \cdot 32 \mathrm{~mm}}\right)=24.5^{\circ} \tag{50}
\end{equation*}
$$

A sketch of the trajectories for motor $M_{1}$ and $M_{2}$ (Fig. 4) is shown in Fig. 18, The limiting factors (as far as one can tell from the given motor data) is the velocity of

[^3]motor $M_{1}$, it defines the upper limit for the step cycle time T to (see also Eq. 21 and 19)
\[

$$
\begin{equation*}
T_{\text {step }}=\frac{0.16 \mathrm{~s}}{60^{\circ}} \cdot 2 \cdot \alpha_{\text {stance }}=\frac{1}{f_{\text {maxx }, \text { kondo }}}=0.37 \mathrm{~s} \tag{51}
\end{equation*}
$$

\]

Motor $M_{2}$ has to move by (Eq. 50) $24.5^{\circ}$ - the minimal time required for this movement is:

$$
\begin{equation*}
T_{\Delta \theta_{M 2}}=\frac{0.16 \mathrm{~s}}{60^{\circ}} \cdot \Delta \theta_{M 2}=65 \mathrm{~ms}<\frac{T}{4}=92 \mathrm{~ms} \tag{52}
\end{equation*}
$$

It seems that the limiting factor is motor $M_{1}$ - however it has to be noted that motor $M_{2}$ has to accelerate and decelerate four twice as often as $M_{1}$ so it is a good thing to have some margin for $M_{2}$.



Figure 18: Hardware sketch showing the trajectories of motor $M_{1}$ and $M_{2}$ over time

## Modifications

After having constructed the first prototype it turned out that the torque of the Kondo KRS-2350 ICS motors was not sufficient to contract the legs. Once the leg was contracted it could, however, keep it in that position.

There are several reasons for this problem: It turned out that the torque given for the motor was the stall torque. Once the motor turns, the torque decreases linearly at usable velocities it is in the order of four times lower.

In addition, the effect of friction in the wire guiding cable was completely neglected - an approximate calculation (section 5.9) shows that friction increases the required by around $50 \%$, it is not easily neglected.

In consequence to these problems, the servo horn was replaced by a much shorter one - leading to a decrease in required torque and an increase in movement angle. The motor now moves by about $120^{\circ}$ to completely contract the leg.

### 6.2 Mechanical design

### 6.2.1 Fr4 Material properties

Fr4 has approximately the mechanical properties shown in Tab. 5 (exact values depend on the fabricate, the material is anisotropic).

| Density | $\rho=1.9 \cdot 10^{3} \frac{\mathrm{~kg}}{\mathrm{~m}^{3}}$ |
| :---: | :---: |
| Yield strength | $\sigma_{\text {yield }}=276 \mathrm{MPa}$ |
| Young's modulus | $E=17 \mathrm{GPa}$ |
| Flexural modulus | $G=16.5 \mathrm{GPa}$ |
| Poisson's Ratio | $\mu=0.118$ |

Table 5: Fr4 material properties

### 6.2.2 Material thickness and width

In order to reduce bending along the z-axis (Fig. 2) the strongest available material thickness $e=3.2 \mathrm{~mm}$ will be used - this is also useful since it increases the length of the plain bearings used to connect the leg segments.

The width of segment 1 and 3 (Fig. 2) was selected to be $w=15 \mathrm{~mm}$ - this is quite a lot and could probably be reduced. However this would require a careful stress analysis, knowing the amplitude of the shocks that act on the leg, which is hard to estimate.

Segment 2 and 4 are a bit smaller $w_{1,4}=10 \mathrm{~mm}$, since at this point two segments work in parallel - though sometimes segment 2 is under compression while segment 4 is under traction.

The distance between segment 2 and 4 was chosen arbitrarily (Fig 2) $d_{14}=12 \mathrm{~mm}$. From a mechanical point of view it would be interesting to increase this distance in order to reduce the stresses - however increasing it too much would leave no space for the foot.

Already with the current design, the relative leg segment length of $\lambda_{01}=0.14$ which corresponds to $l_{01}=21 \mathrm{~mm}$ had to be increased to satisfy space constraints.

### 6.2.3 Buckling, Torsion and Bending

For the following approximate estimations the leg is assumed to be a straight bar made of Fr4 with thickness $e_{b a r}=3.2 \mathrm{~mm}$, width of $w_{b a r}=15 \mathrm{~mm}$ and a length of $l_{b a r}=180 \mathrm{~mm}$ (Eq. (11). The joints are neglected.

## Buckling

The critical buckling load for a column (both ends are hinged $K=1$ ) is:

$$
\begin{equation*}
F=\frac{\pi^{2} E I}{(K l)^{2}}=\frac{\pi^{2} 17 \cdot 10^{9} \cdot 4.096 \cdot 10^{-11}}{3.24 \cdot 10^{-2}}=212 \mathrm{~N} \tag{53}
\end{equation*}
$$

where the area moment of inertia is

$$
\begin{equation*}
I=\frac{B H^{3}}{12}=\frac{w_{b a r} \cdot e_{b a r}^{3}}{12}=4.096 \cdot 10^{-11} \mathrm{~m}^{4} \tag{54}
\end{equation*}
$$

Such a high load might be achieved at touchdown under some conditions - but only during very short periods of time.

## Torsion and Bending

Considering torsion, bending and other simple load cases of the legs is of limited use at this point, since the most probable source of lacking stability or rigidity are the joints between the leg segments and not the segments themselves.

### 6.2.4 Joints and Bearings

Several types of bearings could be used to link the leg segments:

| Bearing type | Advantages | Disadvantages |
| :--- | :--- | :--- |
| Thin flexion <br> blade/Leaf <br> spring | no friction (but eventually hys- <br> teresis depending on the mate- <br> rial) | limited flexion angle |
|  | lightweight | not purely an angular joint if too <br> long |
|  | easy to integrate | limited stability under torsion |
|  | intrinsic elasticity | ball bearing |

Using the simplest solution - plain bearings - seems advantageous in this case. Leaf springs don't support a sufficiently large angular displacement while remaining short, while a ball bearing construction tends to get heavy - a non neglectable disadvantage since each leg requires at least 4 bearings.

The bearings will be made of brass and are fixed in the leg segments 1 and 3, while the axes are made of steel and fixed in leg segments 2 and 4, as recommended by André Guignard.

### 6.2.5 Sensor choice

Two different sensors are required for each leg: an angular sensor at one of the bearings to measure the angle $\varphi_{14}$ (Fig. 3) and a force sensor in the foot.

## Angular sensor

Different types of angular sensors and their advantages and disadvantages are listed in Tab. 6, Both Potentiometers and Hall sensors are good choices for this application.

It is intended to use a potentiometer due to the low price and because the potentiometer sensors used on Puppy II worked reliably, according to Jonas Buchli. Mechanical lifetime might turn out to be a problem - however the Piher PT-10 LV potentiometer that is going to be used exists also in a long-life version, guaranteeing 100 '000 mechanical cycles.

| Angular sensor type | Advantages | Disadvantages |
| :--- | :--- | :--- |
| Potentiometer | high resolution | friction |
|  | gives absolute position val- <br> ues | limited mechanical lifetime |
|  | no initialisation required | initial calibration required |
|  | price |  |
| Optical <br> encoder | high resolution | very expensive |
|  | no friction | only incremental informa- <br> tion |
| Hall angular <br> sensors | no friction | expensiveabsolute position informa- <br> tionrather low resolution <br> (though interpolation is <br> common) |

Table 6: Different angular sensor types

## Foot force sensor and toe design

Finding a good foot contact and force sensor is more difficult. Several completely different sensor types can be imagined - depending on the foot design Tab. 7 .

All of the mentioned solutions have their disadvantages: The point force sensor, such as used in Puppy II does not work reliably; the infrared sensor is heavily dependant

| Sensor type | Foot design/sensor mounting | Advantages | Disadvantages |
| :---: | :---: | :---: | :---: |
| Angular sensor | requires a rotational bearing between leg segments 0 and 1 , including an elastic element | continuous output | constrains foot design |
|  |  |  | output not proportional to the applied force (depending on stance angle) |
| Point force sensor | similar as in Puppy II, on the lower side of the foot with direct ground contact | binary/continuous output | not reliable - signal only at some stance angles |
|  |  |  | high mechanical strain on sensor |
| Infrared sensor | mounted pointing to the floor | price | binary output |
|  |  | does not heavily constrain foot design | sensitive to floor material; may require adjustments |
|  |  |  | does not give actual contact information but distance |
| Strain gauge | mounted on a flat spring | continuous output | signal requires amplification/noise problems |
|  |  | small lightweight | constrains foot design |
|  |  |  | temperature sensitivity |
| Distance sensor | measures deformation of a flat spring | continuous output | high resolution signal required, thus expensive |
|  |  |  | constrains foot design |

Table 7: Different force sensor types and measurement principles
on ambient light and floor material and gives only a binary output signal. Both strain gauges and distance measuring to determine the strain in a flat spring are critical with respect to noise and required resolution.
An angular sensor in combination with a helical torsion spring and a plain bearing was finally chosen. The only fundamental problems of this solution is the fact that the measured output depends on the current leg angle. The angle will be measured by the same potentiometer used to measure the leg angle.

This choice in practice also determines the toe design (see drawings "klaue") - it
is rounded and made of Fr4, coupled to leg segment 11 by a rotational joint. The elasticity is provided by a helical torsional spring. A consequence of this joint is that the length of foot and toe $l_{01}$ has to be slightly increased in order to create enough space for toe and potentiometer.

### 6.2.6 Toe helical torsion spring dimensioning

For a helical torsion spring the angular displacement is given by [9]

$$
\begin{equation*}
\theta=\frac{64 M n D_{m}}{E d^{4}} \tag{55}
\end{equation*}
$$

and the maximal stress is

$$
\begin{equation*}
\sigma_{\max }=\frac{32 M}{\pi d^{3}} q \tag{56}
\end{equation*}
$$

where $M$ is the applied moment, $n$ the number of turns, $D_{m}$ the mean spring diameter, $d$ the wire diameter and $q=1.19$ is a constant depending on $\frac{D_{m}}{d}$ [9].

Both the choice of $n$ and $D_{m}$ are quite limited by geometrical constraints - the more turns there are the less length is available for the bearing, $D_{m}$ can't be increased infinitely either since it's limited by the foot size.

Assuming that applied moment is $M=0.06 \mathrm{Nm}$ (based on the applied force at midstance and the mean lever length given by the foot geometry) ${ }^{6}$, $n=3, D_{m}=6 \mathrm{~mm}$, $d=0.9 \mathrm{~mm}, E=210 G P a$ an angle of

$$
\begin{equation*}
\theta=\frac{64 \cdot 0.06 \cdot 3 \cdot 6 \cdot 10^{-3}}{210 \cdot 10^{9}\left(0.9 \cdot 10^{-3}\right)^{4}} \frac{180}{\pi}=28.9^{\circ} \tag{57}
\end{equation*}
$$

and a stress of

$$
\begin{equation*}
\sigma_{\max }=\frac{320.06}{\pi\left(0.9 \cdot 10^{-3}\right)^{3}} \approx 1 G P a \tag{58}
\end{equation*}
$$

The angular displacement corresponds to what is required; the stress is quite high even for spring steel, but then again the assumed moment is an overestimation of what can be expected in reality.

[^4]
## 7 Test electronics

In order to be able to test the system without building a complex setup of autonomous electronics, battery power supply, communications and sensory feedback as planned for the future, a simpler setup was used.

Fig. 19 shows the schematics of the test electronics.
At the first sight the servo angle setpoint update bandwidth seems to be limited by the serial bus - a data rate of 115 kpbs with one byte per setpoint and eight servos to command results in a refresh rate of 1.8 kHz and a setpoint refresh cycle time of 0.5 ms .

The cycle time of the PWM signals to be generated by the PIC microcontroller is at least 8 ms according to the datasheets. So this is what limits the setpoint updates to about 125 Hz or 50 setpoints per step when running at $f_{\text {step }}=2.3 \mathrm{~Hz}$.


Figure 19: Schematics of test electronics

### 7.1 PWM

The PWM controller has to generate eight independent PWM signals. The cycle time is $8000 \mu s$. The pulse width can vary between $700 \mu s$ and $2400 \mu s$ (without considering the special modes supported by the servo).

A PIC 18F2580 testboard made on 24.6.2005 by Alessandro Crespi was used to generate the PWM signals. The complete code of the PWM implementation can be found in section 15.3 .

### 7.1.1 Implementation on a PIC $18 f 2580$ - first try

Programming the PIC 18 f 2580 such as to produce the eight PWM signal was in reality not as easy as it may seem in theory.

The first idea was to generate an interrupt on timer2 every $6.4 \mu \mathrm{~s}$ and to check on every interrupt if one of the eight output channels had to be set to zero. In addition a separate counter would be maintained to ensure that every $8000 \mu s$ all outputs are set to one and a new PWM cycle is started.

However timer2 is not able to generate an interrupt every $6.4 \mu s$ even if set up to do so - interrupts only occur about every $18 \mu \mathrm{~s}$.

### 7.1.2 Implementation on a PIC 18f2580-second try

Since timer2 can't produce interrupts fast enough, an alternative way had to be found. Now all the servo setpoints are sorted into an array - the first element being the earliest output to be reset. Separately an array in the same order, containing the corresponding output pins, is kept ${ }^{7}$.

Timer2 is set up as to increment every $1.6 \mu s$ - interrupts are thus generated at least every $400 \mu s$ which is obviously a lot lower than the $8000 \mu s$ cycle time. Therefore a separate 16 bit counter variable is used for timekeeping, comparing to the setpointtime array. This counter is also for calculating the time until the next interrupt, which is adapted in function of the next event $-400 \mu s$ if nothing is to happen within this timespan, less if one of the outputs has to be set to zero before.

Note that also with this implementation one might run into the timer2-bug as seen with the first trial implementation: If two servos require for instance a pulse of $700 \mu \mathrm{~s}$ and $707 \mu s$ a timer interrupt will occur at $700 \mu \mathrm{~s}$. At this time the next interrupt is scheduled to be within $7 \mu s$ which is faster than what timer2 can do in reality - thus the next interrupt will happen only after at least $20 \mu s$ which will result in a systematic delay on all later setpoints.

In order to avoid this problem, setpoints that are that close in time to each other are considered to be at the same time. Both PWMs would output a cycle time of $7000 \mu s$. One might also consider using active waiting during timespans lower than $20 \mu \mathrm{~s}$, but such high precision doesn't seem necessary in this case.

[^5]
### 7.2 RS232 Communication Protocol

The setpoints are sent over a serial bus to the PWM controller. The bus settings are listed in Tab. 8 whereas the protocol is described in Tab. 9 .

| Baud rate | 115200 bps |
| :---: | :---: |
| Data bits | 8 |
| Flow control | Off |
| Parity bits | None |
| Stop bits | 1 |

Table 8: RS232 Bus settings

| 255 | Reset - the next value will be the setpoint for servo nr. 1 |
| :---: | :---: |
| $252-4$ | Change operation mode of Kondo motor (exact meaning unknown) |
| 251 | Free mode - servos apply no torque |
| $0-250$ | RC servo motor position <br> 0 corresponds to the extreme position in counter-clockwise direction, <br> 250 corresponds to the extreme position in clockwise direction |

Table 9: PWM RS232 communication commands

For example send the sequence in Tab. 10 to first set all the eight servos to the extreme position in counter-clockwise direction, then immediately afterwards - in the next PWM cycle - to the extreme position in clockwise direction:

| Sequence part 1 | 255 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Corresponding motor |  | FLH | FLK | FRH | FRK | HLH | HLK | HRH | HLK |
| Sequence part 2 | $[255]$ | 250 | 250 | 250 | 250 | 250 | 250 | 250 | 250 |
| Corresponding motor |  | FLH | FLK | FRH | FRK | HLH | HLK | HRH | HLK |

Table 10: PWM RS232 communication commands

As listed in the table, the first value transferred is the setpoint for the FLH motor (Front Left Hip), the second is for the FLK motor (Front Left Knee) and so - the last one is for the HLK (Hind Left Knee) motor.

Note that sending the reset-signal [255] between the two sequences shown in Tab. 10 is optional.

Hard limits on the setpoint values are enforced by the PWM software on the PIC microcontroller for the knee motors, in order to avoid damaging. The exact values have to be found experimentally and vary slightly from one leg to the next.

### 7.3 Power supply board

As power supply a Farnell lab power supply was used - it should provide a current of 10 A at 6 V . In order to distribute the power to the motors, a simple PCB board was developed - thanks to Alessandro Crespi. It's schematics and connections are explained in the Annex (Section 14).

### 7.4 Command on the PC

In order to command the PWM board over the serial line, a simple Qt application was developed, featuring eight sliders to allow controlling the motors manually. This application is also included on the CD-ROM that was handed in with this report.

## 8 Designated autonomous electronics

### 8.1 Overview

Fig. 20 shows the schematics of designated autonomous electronics.


Figure 20: Schematics of designated autonomous electronics

### 8.2 Microcontroller

The system can be designed using one or multiple microcontrollers. With regard to communications overhead, system complexity and the different programming setups the easiest way is probably using a single microcontroller fro running the CPGs and treating sensory information.
The requirements are the following:

- "fast enough" to run four CPGs and functions for the hip-motors in realtime
- low power consumption (not very important, considering how much current the eight motors draw)
- one single supply voltage
- possibly eight PWM outputs (else one or several would have to be realised in software)
- RS232, $I^{2} C$ and USB communication channels (CAN, Ethernet and others are nice to have too)
- one fast or several ADC fo treating sensor information

Using a microcontroller with ARM architecture seems to be the most straightforward solution. For instance an NXP LPC2468 or a Atmel AT91SAM7A3 - both fulfill all of the above stated requirements, as listed in Tab. 11 .

Other manufacturers offer comparable products. However it turns out that the most critical feature are the required eight PWM outputs - only few ARM microcontrollers provide that many independant PWM outputs.

There exists evaluation boards featuring a NXP LPC2468 ARM microcontroller [4]. This might be an interesting option, but it does not contain any form of wireless communication support (Bluetooth, WLan or other).

### 8.3 Power supply

Due to the very favourable energy per weight ratio (around $130 \mathrm{~Wh} / \mathrm{kg}$ ) Lithium Polymer batteries seem the most interesting ones. The main problem is the low maximum current that can be drawn from most Lithium Polymer battery.

But there exist such batteries - in the model aircraft scene. Instead of the usual $2 \mathrm{C}^{8}$, such batteries can be charged by currents up to 30C.

A maximum charge test for a Kokam $1500 m A h$, specified by the importer as supplying up to $10 C^{9}$ has been performed [16]. It shows that such a battery can supply permanent currents up to $8.5 A$ - somewhat more than 5C - without being damaged.

Fig. 21 shows the resulting voltage curves. The most interesting ones are the pink one (discharge at $8.5 \mathrm{~A}, 1418 \mathrm{mAh}$, temperature $45^{\circ}$ ) which the battery survived without being damaged and the brown one (discharge at $12 \mathrm{~A}, 1275 \mathrm{mAh}$, temperature $70^{\circ}$ ) which damaged the battery permanently.

There exist several suppliers for such high-current LiPo batteries, Kokam being the most renowned one. Considering what is known about the system - the motors should draw up to 1 A each summing up to 8 A, using a 1800 mAh 7.4 V Kokam battery pack seems to be a good choice, it should be sufficient for a runtime of fifteen to twenty minutes. The battery data is summarised in Tab. 12 .

### 8.4 Communications

A reliable highspeed communication channel is needed to transfer sensor and actuator data for logging purposes and to transfer highlevel commands to the CPGs running onboard. Most larger ARM microcontrollers support ethernet and USB - these are viable options for highspeed communication.

[^6]

| $\square$ | $\square$ | $\square$ | $\square$ | Пd， |
| :---: | :---: | :---: | :---: | :---: |
|  | XПN U！̣d 9I＇1！¢－0L | XnW u！d 8 ＇7！̣q－0L | X | JCV |
| $\square$ | ， | D | $\square$ |  |
| prads［InH 0 \％ | prads［InH 0 \％ | prods［In ${ }^{\text {H }} 0$ | prads［inn $0 \cdot \mathrm{Z}$ | GSก |
| s／I！ 9 N 00L／0I | s／IITMN 00L／0I | s／IITGN 00L／0I | s／IITLN 00L／0I |  |
| ， | ， | ， | $\nabla$ | $S_{z} I$ |
| I | ［ | $\varepsilon$ | $\varepsilon$ | $\nu_{Z} I$ |
| $\square$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | NVD |
| $\checkmark$ | $\checkmark$ | I | I | IdS |
| $\downarrow$ | $\varepsilon$ | † | † | LYV |
| ＋！ 9 91＇L | ＋！ OZ $^{\text {¢ }} 8$ |  |  | sındınO WMd |
| $\Lambda \varepsilon^{\circ} \mathrm{\varepsilon}$ | $\Lambda \varepsilon^{\prime} \varepsilon$ | $\Lambda \varepsilon^{\prime} \varepsilon$ | $\Lambda \varepsilon^{\prime} \varepsilon$ | วใ8？ |
| әъイЯ才 $\dagger 9 /$ ¢ | วұКЯЯ 乙¢ | วұКЯ才 86 | әұКЯฯ ъ¢＞ | NVYS［euzəıuI |
| әұКЯ\％ZIS／9SZ／8ZI | әれКЯу 9¢Z | әれКЯ才 ZIS |  | чse［h［euxəu） |
| zHW 99 ＞ | zHW 09 ＞ | zHN ZL ＞ | zHN $\mathrm{ZL} \times$ |  |
| ZยฯへV | INGLLNYV | LWYV | S－INGILVLNYV |  |
|  | EVLNVSL6LV ［əulv | $\begin{gathered} \text { 89tZDdT } \\ \text { dXN } \end{gathered}$ | $\begin{gathered} \text { 89\&ZOdT } \\ \text { dXN } \end{gathered}$ |  |


| Manufacturer | Kokam |
| :--- | :---: |
| Capacity | 1800 mAh |
| Voltage | 7.4 V |
| Dimensions | $104 \times 16 \mathrm{x} \mathrm{34} \mathrm{mm}$ |
| Weight | 102 g |
| Constant discharge current | $30 \mathrm{C}(54 \mathrm{~A})$ |
| Max. charge current | 2 C |
| Supplier | Slowflyer [2], <br> Mamo Modelltechnik [1] <br> and others |

Table 12: Kokam 1800 mAh 2S1P battery data

However wireless communication is much more comfortable in most cases - so including a bluetooth device (possibly class 1 with up to 100 m coverage) seems a good idea. Other alternatives might be Zigbee or standard 802.11 WLan - though both have their disadvantages: Zigbee has a low data rate and WLan consumes lots of power.

Kokam 1500 mAh High Current Discharge Test


Figure 21: Kokam 1500 mAh high current discharge test curves, © Helitron [16]

## 9 Assembly

### 9.1 Overview

Fig. 22 shows all the parts (with exception of the motors and the springs) before assembly.


Figure 22: Parts before assembly

### 9.2 Feet

The feet are produced in two parts - these two have to be soldered together using solder paste. The alignment of the parts proved to be a difficulty in the process. Finally the hole in the foot (71) has to be re-drilled manually and the corresponding pin is pressed into the foot.

The pins turned out to be slightly too short (due to the division of the foot into two pieces it got thicker which was not properly reported to the pin length) - they had to be pressed further than planned to allow the circlip to be mounted. This has been corrected in the drawings included in the appendix.

The prismatic parts of some pins were slightly bent due to the pressing. Applying force on these parts has to be avoided - the same holds unfortunately for the chamfer (where the circlip is to be put later on).

The same procedure is applied to the second and fourth leg segments (74). Note that for these segments special care has to be taken in order to ensure that the pins are as rectangular as possible to the leg segments. Slight misalignments here increase friction quite heavily, since the leg is a pantographic one and therefore overconstrained. A completely assembled leg (without springs) should extend and contract easily under it's own weight.


Figure 23: Completed foot assembly

### 9.3 Leg segments 1 and 3

The first leg segment (part number 73), the corresponding reinforcement (67) and the messing bearing (44) are assembled using a vise (Fig. 24). In addition they are glued together by hot-melt adhesive.

The same procedure is applied to assemble the third leg segment (75) and it's reinforcement (69) - there the glue is more important since the bearing where the foot and spring are to be mounted later on does not connect the two pieces (Fig. 25).

### 9.4 Spring assembly

Assembling the spring, tube and it's supporting Fr4 pieces is straightforward: spring_l1 (61), the white guiding tube (46) and the spring_washer (49) are all glued together using hot-melt glue.

In order to increase stability in the direction perpendicular to the leg plane (z direction Fig. 4), lots of hot-melt glue are used and two small metal pins are put between the guiding tube (46) and spring_l1 (61).

The other pieces are simply put in place - the spring ensures their position.


Figure 24: First leg segment


Figure 25: Third leg segment


Figure 26: Spring assembly

### 9.5 Complete leg assembly

A complete assembled leg is shown in Fig. 27. It is important that there is enough room between leg segments two/four and one/three, such as to ensure low friction in the overconstrained pantograph mechanism. Rigidity turns out to be quite high - due to the low tolerances on the messing bearings the guiding is very stable.


Figure 27: A complete leg

### 9.6 Back

The completed back assembly can be seen in Fig .28. Only two small operations apart from mounting screws were necessary:

The motor fixation blocks (21) do not have holes on top and bottom - these have to be drilled manually, $\varnothing=1.5 \mathrm{~mm}$ - the M1.6 screw creates the thread itself (Fig 29).

Apart from that, screwing the four servos that are mounted directly on the base plate without using fixation blocks deformed the plastic motor casings. Thus 3 mm thick distance pieces made of Fr 4 were added between the motors and base plate.

### 9.7 Bowden cables

Assembling the bowden cables is rather slow and tiresome. The best way is to first fix it on the spring assembly side, since that's the harder part (the spring assembly consists of lots of parts that are not fixed relatively to one another).

Then the wire is pulled through the guiding cable - it should be oiled or greased to reduce friction.

In order to get enough cable length to fix the cable on the servo horn it might be useful to contract the leg.


Figure 28: Back assembly


Figure 29: Motor fixation blocks

After assembling the tips of the cable should be fixated using highly viscous glue in order to ensure it's long-term stability.

### 9.8 Bowden Horns

During the first tests it turned out that the Kondo motors, using the long kondo_bowden_horn (70) servo horns, did not provide enough torque to completely contract the legs.

In a first series of tests, the supply voltage was increased up to 9 V . This led to two times stronger leg contraction - however the motors became quite warm, thus this was not an optimal solution.

Next the Fr4 bowden horns were replaced by shorter standard aluminum horns from Conrad ${ }^{10}$. Using these horns the motor has to turn further to contract the legs: around $120^{\circ}$ instead of only $30^{\circ}$. During the last part of the movement the wire is actually rolled on the servo horn axis - the very short lever arm allows the motor torque to generate lots of force.

In order to use the new shorter servo horns, the spring_l3_bowden bowden cable guiding spring fixations for two of the motors had to be displaced, while the two other motors had to be turned by $180^{\circ}$ relatively to what was planned (Fig 30 shows the whole new arrangement).


Figure 30: Bowden horns

[^7]
## 10 Functionality tests and measurements

### 10.1 Weights

The weights of some sub-assemblies were measured after assembly (Tab. 13) and compared to the weights as calculated by Pro/Engineer.

| Part | Measure | Pro/Engineer |
| :---: | :---: | :---: |
| fore leg | 21 g | 34 g |
| hind leg | 23.5 g | 37 g |
| back with motors | 630 g | 670 g |
| batteries | 102 g | 741 g |
| robot without <br> batteries or electronics | 720 g | 741 |
| complete robot (estimation) - <br> including batteries, electronics, <br> cables and sensors | 850 g |  |

Table 13: Measured and calculated weights

### 10.2 Tests

There was not enough time to do intensive testing of the whole robot, such as trying to achieve walk, trot and other gaits. Measuring the speed that can be achieved and the precise power consumption peaks during movement are important tests that remain to be done. Especially the latter has to be known before the autonomous electronics can be designed.

But of course the basic functionalities were tested - the robot is able to start in a crouched position (Fig. 31) and stand up quickly (Fig. 32), swing it's legs, retract and extend them.


Figure 31: Cheetah - ready to stand up


Figure 32: Cheetah - standing

## 11 Proposed improvements

### 11.1 Pressing

The size of the holes is inconsistent:

- the holes for the messing bearings $(44,45)$ in the first and third leg segment are have the same nominal diameter as the bearings themselves. When manufacturing them they are always somewhat smaller (due to the fast use of the cutting tool by the glass fibers in Fr 4 )
- the holes for the pins (40-43) in the second and fourth leg segment and the foot are drilled smaller than the pins during PCB production. They have to be re-drilled to slightly less than the pin diameter (about $\frac{1}{10} \mathrm{~mm}$ )

Since the hole size in both cases corresponded to the requirements, using the first variant is preferable since it does require less manual work.

### 11.2 Spring assembly

As noted above the rigidity of the connection between spring_l1 (61) and spring_tube (46) is not sufficient. An instant solution was found using pins and hot-melt glue. Introducing half-round pieces between the two would solve the issue definitely - though some room still has to be left for the bowden cable to pass.

### 11.3 Feet

Spring stiffness of the foot spring is way too high. It could be that the calculations largely overestimated the external forces on the feet - this would have to be simulated to get more complete information.
Assuming the calculations were not completely wrong, there still remain other sources of error: It is very hard to actually manufacture these springs with precision, but already small deviations create huge differences in force. In addition it was noted during assembly that the springs fit exactly into the holes (for some even force had to be applied to get them mounted) - some play there might help in decreasing the forces.
It was noted that the alignment precision between the two parts constituting a foot (klaue and klaue_spring) was not optimal. In order to ease the soldering process and alignment, introducing two small pins passing through both these parts might be a good idea.

### 11.4 Bowden cables

There was observed quite a lot of friction in one of the cables - making the wire guiding springs slightly larger would help avoiding such problems. It also remains to be seen if the cable is strong enough to withstand fatigue and wear.

The fixation of the cables is not optimal either - they are held by screws on both ends. This setup is not easy to mount - using the current system to fix one end and some kind of quick-mount system on the other end ${ }^{11}$.

The fixation of the wire guiding spring on the back back_bowden (47) appears rather weak. Two M1.6 screws are enough to hold the fixation in place, but this creates quite some strain on the back itself. Modifying the fixation such that the two screws are not mounted in a plane perpendicular to the cable, but rather in a plane along the cable would help to reduce the stresses.

### 11.5 Servo horns

As mentioned in section 13 the custom-made Fr4 servo horns have to be replaced by shorter ones (Fig. 30). The replacement are aluminum servo horns from Conrad (part number 226636-no longer available; part 233159-62 looks very similar).

The reason for this replacement is the insufficient motor torque: The given torque value is apparently the stall torque, though this is not mentioned in the documentation. At nominal velocity the torque is significantly lower. Additionally, friction in the wire guiding cables was neglected, since it is very difficult to estimate (Section 6.1.2).

### 11.6 Back compliance

It remains to be verified if the degree of compliance that the current back provides should be increased, decreased or be kept as it is. Varying compliance in the frontal plane is quite simple: If the point of connection of the hip servo motors to the rest of the back is moved towards the sagittal plane, compliance increases. If the thickness of the connections or of the back plate is increased, compliance decreases.

An interesting idea might also be to increase compliance in the sagittal plane, where the robot is not very compliant at the moment.

[^8]
## 12 Conclusion

Before starting to design the hardware a detailed objective list was created, to state clearly the required and desired features of the leg: active compliant knee joint, low weight, possibly modular design and manufacturability using the means at disposal.

In a following step, several actuation principles for pantographic three-segment legs were drafted and compared. Using a pantographic design is advantageous since it completely avoids structural instability [7,24] without deviating significantly from the leg segment configurations observed in nature [12]. The most promising design using a compression spring to extend the leg and a bowden cable to contract it during flight phase - was investigated further.

The leg segment lengths were chosen such as to be energetically advantageous [7]. In order to dimension the leg stiffness and actuators, a simple spring-mass model for walking and running was introduced [13] and solved for the given leg dimensions and estimated stroke frequencies for different gaits [3]. These calculations permitted an estimation of the leg length during a complete stance cycle - thus defining the required leg length range - and the forces in play.

In the following the actual hardware was designed. It was found that both hip and knee joints should best be actuating using the same Kondo KRS-2350 ICS motors. Plain bearings are used as joints, since they are simple to manufacture but still provide good performance and shock resistance.

Simple test electronics were designed using a PIC test board an a simple custommade power supply board. Ideas for more powerful autonomous electronics and power supply have been drafted as well.

Finally all the parts were assembled and the leg was tested.
Designing hardware is always a difficult task. Lots of assumptions have to be made, some of which can be verified only after a prototype is built while others can't be verified at all. This is put simply why the prototype "Cheetah" is not without flaws. Section 11 mentions some of the obvious improvements - especially the foot design needs further work.

Most other things however, work very well: The pantographic leg itself and the passive compliant knee joint.

Looking back at the task description in section 2 it can be concluded that, as far as tests and verification have progressed up to now, the mentioned goals have been met.

A working lightweight, three-segment leg with two actuated joints (the hip joint and the knee joint) has been designed. Whether different gaits can be achieved has not yet been verified, due to lack of time. The weight of the system is estimated to 850 g including batteries, electronics, sensors and cables - 150 g less than the specified upper limit.

Force- and other sensors have not yet been included or tested, but the leg is prepared for mounting potentiometers both at the knee and at the foot.

There remains a lot of work to be done in continuation:
Implementation a CPG to test different gaits, measure of energy consumption, improvement and optimisation of the mechanical design through use of simulation software, implementation of battery-powered autonomous electronics, introduction of sensors and sensory feedback just to mention some topics.

Lausanne, January 11, 2008

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## 13 Annex I - Drawings

### 13.1 Part list - as used for the prototype

For norm parts shop article numbers are given:
BAN: Bossard article number, http://www.bossshop.ch

| Position | Quantity | Description | Material | Shop number |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 40 | Screw conic head ISO 2009-M1.6x6 | Ac | BAN 1246658 |
| 3 | 8 | Screw conic head ISO 2009-M1.6x12 | Ac | BAN 1246682 |
| $(1,2)$ | 64 | Washer ISO 7089-1.6 | Ac | BAN 1421417 |
| $(1,2)$ | 64 | Hex nut ISO 4032-M1.6 | Ac | BAN 1168843 |
| 4 | 4 | Screw conic head ISO 2009-M3x8 | Ac | BAN 1246739 |
| 5 | 4 | Screw hex head ISO 4014-M3x6 | Ac | BAN 1345893 |
| $(4,5)$ | 20 | Washer ISO 7089-3 | Ac | BAN 1229796 |
| $(4,5)$ | 8 | Hex nut ISO 4032-M3 | Ac | BAN 1195670 |
| 6 | 20 | Circlip DIN 6799 | Ac | BAN 1254499 |
| 20 | 8 | Kondo KRS-2350 ICS |  |  |
| 21 | 8 | Kondo KRS-2350 Fixation blocks |  |  |
| 22 | 8 | Piher PT-10Lv (preferably longlife -E option) |  |  |
| 23 | 4 | Compressive spring ISO 2098 $d=1, D_{m}=9.3, l_{0}=25$ |  |  |
| (45a-d) | 4 | Helical torsion spring $\varnothing_{\text {moyen }}=6, \varnothing_{\text {fil }}=0.9, n_{\text {spires }}=3$ <br> (plus $\approx 2$ spires pour fixation debut/fin), pas tel que les spires se touchent, deux des ressorts enroulés dans une et deux dans l'autre direction |  |  |
| 25 | 4 | Helical spring for wire guiding $\varnothing_{e x t}=1.3, \varnothing_{f i l}=0.3, l_{0}=180$ |  |  |
| 26 | 4 | Flexible steel wire $d=0.63, l \approx 220$ (Carl Stahl Technocables) |  |  |
| 40 | 8 | pin_iso_2338_3x12 | Ac |  |
| 41 | 4 | pin_iso_2338_3x14 | Ac |  |
| 42 | 4 | pin_iso_2338_3x18 | Ac |  |
| 43 | 4 | pin_iso_2338_3x14_FOOT | Ac |  |
| 44 | 16 | bearing_laiton_3x4_5x5_6 | Lt |  |
| 45 | 4 | bearing_laiton_3x4_5x3_2 | Lt |  |
| 46 | 4 | spring_tube | POM |  |
| 47 | 4 | back_bowden | Al |  |
| 48 | 4 | spring_13_bowden | Al |  |


| Position | Quantity | Description | Material | Shop number |
| :---: | :---: | :---: | :---: | :---: |
| 49 | 8 | spring_washer | Al |  |
| 65 | 4 | spring_l3_intermediate | Alx1.2 |  |
| 61 | 2 | spring_11 | Fr4x1.2 |  |
| 62 | 2 | hind_spring_11 | Fr4x1.2 |  |
| 63 | 4 | spring_11_intermediate | Fr4x1.2 |  |
| 64 | 4 | spring_13 | Fr4x1.2 |  |
| 65 | 4 | klaue_spring (2 pcs cuivrées d'un et 2 de l'autre côté) | Fr3x1.2 |  |
| 66 | 1 | back | Fr4x2.4 |  |
| 67 | 2 | segment_11_reinforcement | Fr4x2.4 |  |
| 68 | 2 | hind_segment_11_reinforcement | Fr4x2.4 |  |
| 69 | 4 | segment_13_reinforcement | Fr4x2.4 |  |
| 70 | 4 | kondo_bowden_horn | Fr4x3.2 |  |
| 71 | 4 | klaue <br> (2 pcs cuivrées d'un et 2 de l'autre côté) | Fr3x3.2 |  |
| 73 | 2 | segment_11 | Fr3x3.2 |  |
| 74 | 4 | segment_12 | Fr3x3.2 |  |
| 75 | 2 | segment_13 | Fr3x3.2 |  |
| 76 | 2 | hind_segment_11 | Fr3x3.2 |  |
| 77 | 4 | hind_segment_12 | Fr3x3.2 |  |
| 78 | 2 | hind_segment_13 | Fr3x3.2 |  |

### 13.2 Part list - modifications

### 13.2.1 Parts to remove

| Position | Quantity | Description | Material | Shop Partnumber |
| ---: | ---: | :---: | :--- | :--- |
| 70 | 4 | kondo_bowden_horn | Fr4x3.2 |  |

### 13.2.2 Parts to add

| Position | Quantity | Description | Material | Shop Partnumber |
| ---: | ---: | :---: | :--- | :---: |
| 70 | 4 | Conrad Alu Servohorn | Al | Conrad 226636 |
|  |  | 4 BOH JR Blau GEW |  |  |
|  |  | NR 226636, similar to 233159-62 |  |  |

13.3 Drawings - as used for the prototype










Tolerances generales ISO2768-1




Tolerances generales 150 2768-1





Tolerances generales 150 2768-I - fH



| 46 | 4 |  |  |  | Pom ou autre plastique |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pos. | Quantite | Unite | $N$ ? d'identification |  | Denomination / Caracteristiques |  |  |  |
| Mod |  |  |  | Mod | Dessine S | simon Rutishause |  | Echelle |
|  |  |  |  |  | Controle |  |  |  |
|  |  |  |  |  | Conf normes |  |  |  |
|  |  |  |  |  | Bon execution |  |  | - |
| Sans | omenclature | e sep | агее |  | N ? commande |  |  |  |
| Nomen | Lature sep | de m | meme N ? |  | Origine |  | Nb feuilles | Feuille $\mathbf{N}^{\circ}$ |
| Nomen | lature sep | de N? | ? different | $N$ ? ident | Remplace |  | 1 | 1 |
|  |  |  |  |  | SPRING_TURE |  | $\mathrm{N}^{\circ}$ de dessin |  |





| 49 | 8 |  |  |  | A 1 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pos. | Quantite | Unite | $N$ ? d'identification |  | Denomination / Caracteristiques |  |  |  |
| Mod | $\square$ |  |  | Mod | Dessine Simon Rutishauser |  |  | $\begin{aligned} & \text { Echenle } \\ & 5: 1 \end{aligned}$ |
|  |  |  |  | Controle |  |  |  |
|  |  |  |  | Conf normes |  |  |  |
|  |  |  |  | Bon execution |  |  | $-\square$ |  |
| Sans nomenclature separee |  |  |  |  |  | N? commande |  |  |  |
| Nomenclature sep de meme N ? |  |  |  |  |  | Origine |  | No Ievilles | Feuille $\mathbf{N}^{\circ}$ |
| Nomenclature sep de N? different |  |  |  |  | $N$ ? ident | Remplace |  | 1 | 1 |
|  |  |  |  | SPRING_W ASHER |  |  | $\mathrm{N}^{\circ}$ de dessin |  |












SEGMENT_L1_REINFORCEMENT








| 74 | 4 |  |  |  | Fr $4 \times 3.2$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pos. | Quantite | Unite | N? d'identification |  | Denomination / Caracteristiques |  |  |  |
| Mod |  |  |  | Mod | Dessine S | imon Rutishause |  | $\begin{aligned} & \text { Echelle } \\ & 2: 1 \end{aligned}$ |
|  |  |  |  |  | Controle |  |  |  |
|  |  |  |  |  | Conf normes |  |  |  |
|  |  |  |  |  | Bon execution |  |  | - 0 |
| Sans | omenclatur | e sep | агее |  | $N$ ? commande |  |  | $t-7$ |
| Nomen | lature sep | de m | meme N? |  | Origine |  | Nb feuilles | Feuille $\mathbf{N}^{\circ}$ |
| Nomen | lature sep | de N | ? different | $N$ ? ident | Remplace |  | 1 | 1 |
|  |  |  |  |  | SEGMENT $L 2$ |  | ${ }^{\circ}$ de dessin |  |



| 74 | 4 |  |  |  | Fr $4 \times 3.2$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pos. | Quantite | Unite | N? d'identification |  | Denomination / Caracteristiques |  |  |  |
| Mod |  |  |  | Mod | Dessine S | imon Rutishause |  | $\begin{aligned} & \text { Echelle } \\ & 2: 1 \end{aligned}$ |
|  |  |  |  |  | Controle |  |  |  |
|  |  |  |  |  | Conf normes |  |  |  |
|  |  |  |  |  | Bon execution |  |  | - 0 |
| Sans | omenclatur | e sep | агее |  | $N$ ? commande |  |  | $t-7$ |
| Nomen | lature sep | de m | meme N? |  | Origine |  | Nb feuilles | Feuille $\mathbf{N}^{\circ}$ |
| Nomen | lature sep | de N | ? different | $N$ ? ident | Remplace |  | 1 | 1 |
|  |  |  |  |  | SEGMENT $L 2$ |  | ${ }^{\circ}$ de dessin |  |




SECTION A - A

| 77 | 4 |  |  |  | Fr $4 \times 3.2$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pos. | Quantite | Unite | N? d'identification |  | Denomination / Caracteristiques |  |  |  |
| Mod |  |  |  | Mod | Dessine S | mon Rutishause |  | $\begin{aligned} & \text { Echelle } \\ & 2: 1 \end{aligned}$ |
|  |  |  |  |  | Controle |  |  |  |
|  |  |  |  |  | Conf normes |  |  |  |
|  |  |  |  |  | Bon execution |  |  | - |
| Sans | omenclatur | e sep | агее |  | $N$ ? commande |  |  | $5$ |
| Nomen | lature sep | de m | meme N ? |  | Origine |  | Nb feuilles | Feuille $\mathbf{N}^{\circ}$ |
| Nomen | lature sep | de N? | ? different | $N$ ? ident | Remplace |  | 1 | 1 |
|  |  |  |  |  | VD_SEGMENT $L 2$ |  | $N^{\circ}$ de dessin |  |



SECTION A - A

| 77 | 4 |  |  |  | Fr $4 \times 3.2$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Pos. | Quantite | Unite | N? d'identification |  | Denomination / Caracteristiques |  |  |  |
| Mod |  |  |  | Mod | Dessine S | mon Rutishause |  | $\begin{aligned} & \text { Echelle } \\ & 2: 1 \end{aligned}$ |
|  |  |  |  |  | Controle |  |  |  |
|  |  |  |  |  | Conf normes |  |  |  |
|  |  |  |  |  | Bon execution |  |  | - |
| Sans | omenclatur | e sep | агее |  | $N$ ? commande |  |  | $5$ |
| Nomen | lature sep | de m | meme N ? |  | Origine |  | Nb feuilles | Feuille $\mathbf{N}^{\circ}$ |
| Nomen | lature sep | de N? | ? different | $N$ ? ident | Remplace |  | 1 | 1 |
|  |  |  |  |  | VD_SEGMENT $L 2$ |  | $N^{\circ}$ de dessin |  |

## 14 Annex II - Test electronics

The important part of the datasheet of the PIC test board used is included here. Fig. 33 shows the schematics of the connector board used to connect the PIC Testboard to the Kondo KRS-2350 ICS RC servo motors and the power supply.

A 14-pin flat cable connector is used to connect the output pins PIN_B0, PIN_A0 - PIN_A5 and PIN_C0 from the PIC board to the corresponding pins P2-P9 on the connector board ${ }^{12}$ (Fig. 33).

Pin TP1 on the connector board should be connected to the " $7 . .30 \mathrm{~V}$ " supply voltage pin on the PIC connector board. GND is connected through the 14-pin flat cable.

A 6 V power supply is to be connected to pins TP2 (GND) and TP3 (VCC) - exactly how much power is required is not sure at the moment, at least 8 A current should be provided to power all the motors.


Figure 33: Schematics of the power supply connector board

[^9]

| DRAWING <br> PIC 18F2520 devcard | ENGINEER: <br> A.Crespi |
| :--- | :--- |
| DATE: <br> Mon Jun 27 09:27:33 2005 | PAGE: <br> acort cuser |



| $\frac{\text { DRAWING }}{\text { PIC 18F2520 devcard }}$ | ENGINEER: <br> A.Crespi |
| :--- | :--- |
| DATE: <br> Fri Jun 24 09:59:06 2005 | PAGE: <br> acort cuser |



## 15 Annex III - Code

### 15.1 Matlab

The matlab files used to produce the plots shown troughout the report are on the CD-ROM that was handed in with this report.

### 15.2 Manual control program

The manual control program used to send simple commands over the serial bus in order to test the robot is on the CD-ROM that was handed in with this report.

It requires Qt 4.3.3 (http://www.trolltech.com) and QExtSerialPort (http: //qextserialport.sf.net) and should work both on Windows and Linux/Posix systems.

### 15.3 Pic 18F2580 PWM

This code compiles with the CCS C Compiler - Version 4.062 was used. It is also included on the CD-ROM that was handed in with this report.

### 15.3.1 main.h

```
/*
* Author: Simon Rutishauser <simon.rutishauser@epfl.ch>
* Date: 09-JAN-08
*/
#ifndef include_main
#define include_main
#include <18F2580.h>
#device adc=8
#FUSES NOWDT //No Watch Dog Timer
#FUSES WDT128 //Watch Dog Timer uses 1:128 =>
    =>Postscale
#FUSES H4 //High speed osc with HW enabled 4X }
    => PLL
#FUSES NOPROTECT //Code not protected from reading
#FUSES BROWNOUT //Reset when brownout detected
#FUSES BORV21 //Brownout reset at 2.1V
#FUSES NOPUT //No Power Up Timer
#FUSES NOCPD //No EE protection
#FUSES STVREN //Stack full/underflow will cause =>
\[
\Rightarrow \text { reset }
\]
```

\#FUSES NODEBUG //No Debug mode for ICD
\#FUSES NOLVP //No low voltage prgming, B3 (PIC16) $\Rightarrow$
$\Rightarrow$ or B5 (PIC18) used for $I / O$
\#FUSES NOWRT //Program memory not write $\Rightarrow$
$\Rightarrow$ protected
\#FUSES NOWRTD //Data EEPROM not write protected
\#FUSES IESO //Internal External Switch Over $\Rightarrow$
$\Rightarrow$ mode enabled
\#FUSES FCMEN //Fail-safe clock monitor enabled
\#FUSES PBADEN //PORTB pins are configured as $\Rightarrow$
$\Rightarrow$ analog input channels on RESET
\#FUSES BBSIZ2K //2K words Boot Block size
\#FUSES NOWRTC //configuration not registers write $\Rightarrow$
$\Rightarrow$ protected
\#FUSES NOWRTB
\#FUSES NOEBTR
$\Rightarrow$ reads
32 \#FUSES NOEBTRB
$\Rightarrow t a b l e$ reads
33 \#FUSES NOCPB
34 \#FUSES LPT1OSC
$\Rightarrow$ operation
35 \#FUSES MCLR
\#FUSES NOXINST //Extended set extension and $\Rightarrow$
$\Rightarrow$ Indexed Addressing mode disabled (Legacy mode)
37
38 \#use delay (clock=40000000)
39 \#use rs232(baud=115200, parity=N, xmit=PIN_C6, rcv=PIN_C7, bits =8)
40
41 \#endif include_main

### 15.3.2 main.c

1 /*
2 * Author: Simon Rutishauser [simon.rutishauser@epfl.ch](mailto:simon.rutishauser@epfl.ch)
3 * Date: 09-JAN-08
4 *
5 * This program reads values from the serial bus and outputs eight $\Rightarrow$ $\Rightarrow P W M$ signals
6 * (may be changed by tuning PWM_COUNT) fit for Kondo KRS 2350 ICS $\Rightarrow$ $\Rightarrow$ servos on

* the pins set in pwm.c, after all eight PWM signals are received.
* 
* Value Action
$10 *$ -
* Oxff Reset - the next value will be the setpoint for servo $n r \Rightarrow$
$\Rightarrow$. 1

```
* 252-4 Change operation mode of Kondo motor (exact meaning }
    =>unknown)
* 251 Free mode - servos apply no torque
* 0-250 Position servo (0 means extreme position in counter }-
    =>clockwise direction,
        250 is the extreme in clockwise }
        =>direction). Limits may
    * be enforced by setting minima/maxima in }
        =>pwm_setpoints_min/max below.
*/
#include "main.h"
#include "pwm.c"
unsigned int8 pwm_setpoints[PWM_COUNT]; // buffer for pwm =
    getpoints read from serial bus
// pwm_setpoint value limits enforced by validate_setpoints()
unsigned int8 pwm_setpoints_min[PWM_COUNT] = { 0, 0, 0, 40,=>
    # 0, 20, 0, 0 };
unsigned int8 pwm_setpoints_max[PWM_COUNT] = { 250, 125, 250, 250,=>
    =>250, 250, 250, 90 };
/* Timer2 timeout, resolution was set to 1.6 us,
    but only a resolution of 4*1.6us = 6.4us is actually
    used
    SET_TIMER2(0) == 409 us
    SET_TIMER2(255 - 4); == 6.4 us
    */
#int_TIMER2
void TIMER2_isr(void)
{
        pwm() ;
}
/*
* enforce limits on setpoints in pwm_setpoints
*/
void validate_setpoints()
{
    unsigned int8 i = 0;
    for (i = 0; i < PWM_COUNT; i++)
    {
        if (pwm_setpoints[i] <= 250) // special values
        {
```

}

```
```

            if (pwm_setpoints[i] > pwm_setpoints_max[i])
    ```
```

            if (pwm_setpoints[i] > pwm_setpoints_max[i])
                        pwm_setpoints[i] = pwm_setpoints_max[i];
                        pwm_setpoints[i] = pwm_setpoints_max[i];
            else if (pwm_setpoints[i] < pwm_setpoints_min[i])
            else if (pwm_setpoints[i] < pwm_setpoints_min[i])
                    pwm_setpoints[i] = pwm_setpoints_min[i];
                    pwm_setpoints[i] = pwm_setpoints_min[i];
        }
        }
    }
    }
    /*
/*

* infinite loop, read from serial bus
* infinite loop, read from serial bus
* 
* 
* if Oxff is read the following value is a setpoint for the servo }
* if Oxff is read the following value is a setpoint for the servo }
=>on the first
=>on the first
* channel (sending this is not necessary - after having received }
* channel (sending this is not necessary - after having received }
=>PWM_COUNT values
=>PWM_COUNT values
* the loop restarts with reading a setpoint for the first servo)
* the loop restarts with reading a setpoint for the first servo)
*/
*/
void read_serial() {
void read_serial() {
static int1 led = 0;
static int1 led = 0;
unsigned char c;
unsigned char c;
static unsigned int8 i = 0;
static unsigned int8 i = 0;
while (TRUE) {
while (TRUE) {
c = getchar();
c = getchar();
if (c == 0xff)
if (c == 0xff)
i = 0xff;
i = 0xff;
else
else
{
{
pwm_setpoints[i] = c;
pwm_setpoints[i] = c;
if (i == PWM_COUNT-1)
if (i == PWM_COUNT-1)
{
{
validate_setpoints();
validate_setpoints();
pwm_set_values(pwm_setpoints);
pwm_set_values(pwm_setpoints);
}
}
}
}
i++;
i++;
i %= PWM_COUNT;
i %= PWM_COUNT;
led=~led;
led=~led;
output_bit(PIN_C2, led);
output_bit(PIN_C2, led);
}
}
}

```
}
```

```
}
```

```
}
```

94

```
void main()
{
        setup_adc_ports(NO_ANALOGS|VSS_VDD);
        setup_adc(ADC_OFF|ADC_TAD_MUL_0);
        setup_spi(SPI_SS_DISABLED);
        setup_wdt(WDT_OFF);
        setup_timer_0(RTCC_INTERNAL);
        setup_timer_1(T1_DISABLED);
        setup_timer_2(T2_DIV_BY_16,255,1);
    setup_vref(FALSE);
    pwm_init();
    enable_interrupts(INT_TIMER2);
    enable_interrupts(GLOBAL);
    read_serial();
}
```


### 15.3.3 pwm.h

```
/*
* Author: Simon Rutishauser <simon.rutishauser@epfl.ch>
* Date: 09-JAN-08
*
* This file implements all the functions necessary for creating }
    the PWM signals.
* It requires Timer2 to be set up correctly (1.6 us steps) and the }
    m interrupt routine
* must call the function pwm().
*/
#ifndef include_pwm
#define include_pwm
#include "main.h"
// Number of PWM channels
const unsigned int8 PWM_COUNT = 8;
/*
Initialize PWM to default values (Robot is standing)
*/
void pwm_init();
/*
```

```
ISR for TIMER2 - do all the PWM logics
*/
void pwm();
/*
* Set PWM values
* IN: Pointer to unsigned int8[PWM_COUNT] containing servo }
    =>angles 0...250
* or special values 251..254
*/
void pwm_set_values(unsigned int* values);
#endif include_pwm
15.3.4 pwm.c
/*
* Author: Simon Rutishauser <simon.rutishauser@epfl.ch>
* Date: 09-JAN-08
*/
#include "pwm.h"
#include <stdio.h>
// multiply time counter value with time_to_us to get us
const double TIME_TO_US = 6.4;
// output pins
const unsigned int16 pins[] = { PIN_B0, PIN_A0, PIN_A1, PIN_A2, m
    =>PIN_A3, PIN_A4, PIN_A5, PIN_C0 };
// kondo characteristics
const unsigned int16 PWM_PULSE_BASE = 700/TIME_TO_US; // m
    =>minimum pulse length
// special pulse widths
const unsigned int16 PWM_PULSE_FREE = 50/TIME_TO_US; // switch }
    to free mode
const unsigned int16 PWM_PULSE_100 = 100/TIME_TO_US;
const unsigned int16 PWM_PULSE_150 = 150/TIME_TO_US;
const unsigned int16 PWM_PULSE_200 = 200/TIME_TO_US;
// time from PWM pulse start to next one
const unsigned int16 PWM_CYCLE_TIME = 8000/TIME_TO_US;
```

* All the PWM output durations are sorted and stored in $\Rightarrow$
$\Rightarrow$ pwm_values_values, the
* program starts by setting all output pins (to 1) at time $=0$
* 
* It looks at pwm_values_values[0] to see if it has to set $\Rightarrow$
$\Rightarrow$ pwm_values_pins [0] to
* zero. $\overline{I f}$ not $\overline{i t}$ checks how long it has to wait:
*     - longer than a complete TIMER2 cycle $(->$ increment time by $64 \Rightarrow$
$\Rightarrow$ (*6.4us))
*     - shorter than a complete TIMER2 cycle $(->$ set TIMER2 $\Rightarrow$
$\Rightarrow$ accordingly to get the

```
        next timeout when we have to reset pwm_values_values[0] and =
    =>increment time)
* If it has to reset pwm_values_pins[0] it does so, checks if it }
        =>also, increments
* pwm_values_pos, and checks if it has to reset pwm_values_pins[1, }
    # 2, 3, i]
67 * Then the whole restarts, only that the program now looks at }
    =>pwm_values_values[i].
*/
void pwm() {
    unsigned int8 i = 0;
    unsigned int16 dt = 0;
    // reset all the PWM output pins that have to be reset now
    while( pwm_values_pos < PWM_COUNT && (time + PWM_MIN_DELTA_T >= =
        =>pwm_values_values[pwm_values_pos] ) ) {
        output_bit(pwm_values_pins[pwm_values_pos], 0x00);
        pwm_values_pos++;
    }
    // set all the pins and start new PWM cycle
    if ( time >= PWM_CYCLE_TIME) {
        for(i = 0; i < PWM_COUNT; i++) {
            output_bit(pins[i], 0xFF);
        }
        time = 0;
        pwm_values_pos = 0;
    }
    // all outputs are zero, waiting for time to reach }
        =>PWM_CYCLE_TIME
    if (pwm_values_pos == PWM_COUNT) {
        time += 64;
    }
    else {
        // difference between our 16-bit timer and the next PWM value }
        cchange
        dt = pwm_values_values[pwm_values_pos] - time;
        if (dt >= 64) {
            // let TIMER2 restart at O for another cycle
            time += 64;
        }
        else {
            // next PWM output change is due faster than next TIMER2 =
                =>overflow ,
```

```
            // set TIMER2 accordingly
            // left shift due to 1.6us resolution of TIMER2, "our" timer }
                    =>-variables
            // only use 6.4us = 4*1.6us resolution
            SET_TIMER2(256 - (dt<<2) );
            time += dt;
        }
    }
}
/*
* change setpoints of the PWM
*/
void pwm_set_values(unsigned int8* values) {
    unsigned int8 i;
    for (i = 0; i < PWM_COUNT; i++) {
        pwm_values_pins[i] = pins[i];
        if(values[i] <= 250) {
            pwm_values_values[i] = values[i] + PWM_PULSE_BASE;
        }
        else {
            switch(values[i]) {
                    case 251:
                                pwm_values_values[i] = PWM_PULSE_FREE;
                        break;
            case 252:
                                pwm_values_values[i] = PWM_PULSE_100;
                    break;
            case 253:
                pwm_values_values[i] = PWM_PULSE_150;
                break;
            case 254:
                        pwm_values_values[i] = PWM_PULSE_200;
                    break;
            case 255:
                        pwm_values_values[i] = 0;
                    break;
            }
        }
    }
    pwm_sort_values();
}
```

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```
/*
* compare function for the pwm_sort_values() quicksort algorithm
*/
signed int pwm_values_compare(char *arg1, char *arg2) {
    int16 val1, val2;
    val1 = *((unsigned int16 *) arg1);
    val2 = *((unsigned int16 *) arg2);
    if (val1 < val2)
        return -1;
    else if (val1 == val2)
        return 0;
    else
        return 1;
}
/*
* Adapted quicksort, sorts pwm_values_values in ascending order;
*
* the same move operations are also applied to pwm_values_pins }
    =>such that
* the pin address corresponding to a timeout in pwm_values_values }
    #is at the
* same array index in pwm_values_pins
*/
void pwm_sort_values() {
    unsigned int m,j,i,l;
    int1 done;
    //BYTE t[16];
    unsigned int16 t;
    m = PWM_COUNT/2;
    while( m > 0 ) {
        for (j =0; j <(PWM_COUNT-m); ++j) {
                i = j;
                do
                {
                    done=TRUE;
                    l = i+m;
                    if ( pwm_values_compare(pwm_values_values+i, }
                        =>pwm_values_values+l) > 0 ) {
                // switch values in pwm_values_values
                t = pwm_values_values[i];
                pwm_values_values[i] = pwm_values_values[l];
                    pwm_values_values[l] = t;
```

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```
                                    // also switch corresponding values in }
                                    =>pwm_values_pints
                                    t = pwm_values_pins[i];
                                    pwm_values_pins[i] = pwm_values_pins[l];
                                    pwm_values_pins[l] = t;
                                    if (m<= i)
                            i -= m;
                        done = FALSE;
                    }
                } while (!done);
            }
            m = m/2;
}
```


## 16 Annex IV - Datasheets

### 16.1 Kondo Red Version technical manual

There is no official Kondo servo manual available. The following unofficial and incomplete translation from the Japanese manual can be found at http://www. robot shof. ca/PDF/rbixs03-KRSmanual.pdf

### 16.1.1 Findings about the Kondo Servos

## PWM modulation

Short pulses of $700 \mu s$ mean that the servo turns in counterclockwise direction, the longer the pulse the more it turns in clockwise direction.

The $100 \mu s, 150 \mu s$ and $200 \mu s$ allow apparently to switch between different servo configurations (PID parameters and other settings). However these configurations can only be tuned using a proprietary interface, they are therefore not very useful in practice.

## Motor and Gear

Since Dynamixel, producing servo motors with performance slightly inferior to the Kondo servos, officially states that they include Maxon motors it can be assumed that Kondo also uses motors made by Maxon, Faulhaber, Escap or a similar highperformance motor brand.

Diameter and length of the included motor are both 17 mm , the nominal voltage is 6 V . Checking in the catalogues of the forementioned fabricants, only Faulhaber has a motor of these dimensions (it is not sure which brand of motors is used by Kondo, though).

The exact gear reduction is not known - assuming $r=170$ (commonly found in servo motors) it is found from the Faulhaber motor data that:

$$
\begin{equation*}
\omega_{\text {out }}=2 \pi \frac{n_{c, \text { max }}}{60}=1047 \mathrm{rad} / \mathrm{s} \tag{59}
\end{equation*}
$$

where $n_{c, \text { max }}=14^{\prime} 000 \mathrm{tr} / \mathrm{min}$. This gives a maximum velocity in the usual servo-units ( $s / 60^{\circ}=s / \mathrm{rad}$ ) of

$$
\begin{equation*}
v_{\max }=\frac{1}{\frac{\omega}{r}}=0.1623 \mathrm{~s} / \mathrm{rad} \tag{60}
\end{equation*}
$$

Which corresponds exactly to the known maximum velocity of a KRS-2350 ICS motor.
The stall torque of $M_{H}=5.34 \mathrm{mNm}$ would result in an output stall torque of

$$
\begin{equation*}
M_{0}=r \cdot M_{H}=170 \cdot 5.34 \mathrm{mNm}=0.9 \mathrm{Nm} \tag{61}
\end{equation*}
$$

which is about half of what is given for the KRS-2350 ( $20 \mathrm{Kg} \cdot \mathrm{cm} \approx 2 \mathrm{Nm}$ ).
Thus it seems that Kondo does use a motor which, though similar in dimensions, has characteristics that differ quite a bit from those of a Faulhaber 1717 SR motor.

## KRS Red Version Series technical manual

Thank you for choosing KONDO KRS series servo. Please make sure this instruction manual using KRS series servo. This instruction describes the mutual contents for a KRS Red Version, please refer the each specification to each manual.

## Specification

## Dynamical Specification Setting Function

It requires the ICS PC interface cable ( as an option ) for connecting with PC. You can download this application from KONDO website.
(0) Connection with PC available!!

Advanced interactive communication system inside. You can connect with PC using ICS PC interface cable (No. 01018 6,000yen). You can set the servo dynamics parameters as you like using GUI interface.

## <Setting parameters>

Pulse stretch • . . . . . . . Holding characteristic

- Speed . . . . . . . . Max speed

P Punch . . . . . . . . Initial response

- Dead band • . . . . . . . Neutral band
- Damping • . . . . . . Damping parameter
- Pulse operation timer • . . . Time to free mode
- Limit . . . . . . . Operation angle
- Reverse . . . . . . . . Reverse direction


## Specification

Advanced Function
New function
(O) Characteristic change function

Changeable setting parameter from the specific signal
(O) Position capture function

You can obtain current position from servo.
(O) Power reduction function

You can cut the power by command.

## Danger ! It is postulated dangers such as death or heavy injury unless you keep in mind.

Do not touch servos during operation
※ This servo outputs high torque, therefore, you will fracture and cutoff when you intervene between the mechanism.
Warning ! It is postulated dangers such as injury or damage something unless you keep in mind.
Please make sure the input signal and input voltage
※ Do not input irregular signal and voltage. It causes malfunction or breakage.
Please make sure the direction of connector and insert correctly.
※ It causes malfunction of servo.
Do not use on wet place.
※ IT cause malfunction of servo.
Do not decompose and modify.

## Operating remark

This is only for robot, you can not use for radio control car model and so on.
Please make sure a servo operate smoothly. A life of servo will be shorter if mechanism has deflection and gap.
Servo might be cause sufficient output torque if you select dry cell.
Operation angle range depends on an input signal.
This servo accepts the signal from 700 usec to 2300 usec, and these corresponds the minimum angle and maximum angle. Avoiding misoperation by noise and wrong input signal, you can set the limit value using ICS PC interface cable which is option.
Common Specifications

- Input voltage : DC 6V

Maximum operation angle : 180 degree

## Control signal

You can connect this servo to general receiver for radio control model. (neutral position is 1.5 msec , signal period is from 8 to 20 msec )

## Technical instruction for advanced functions

## Characteristic change function ( changing parameters )

Input signal for general servos is from 0.7 to 2.3 msec signal and from 8 to 20 msec signal period. Servos control position corresponding to this input signal, furthermore, red version servos can change

Input signal : 100 usec Input signal : 150 usec Input signal : 200 usec
 the pulse stretch, speed parameters.

## Power reduction function (free mode)

If you send 50 usec signal, servos becomes free mode until input signal from 700 to 2300 usec will be caused. When you send characteristic change function during free mode, a servo keeps free mode.

## Position capture function ( output a current position )

When a servo obtains $50,100,150$ and 200 usec signal, it outputs a position signal corresponding to current position within 100 usec. You can calculate a current position monitoring this pulse on outside PC. After sending a position signal from a servo, it changes input mode. During output mode, a servo keeps current position.


## Notice for using advanced function

※ 3 characteristics are same initially.
※ Please make sure the parameter number when you setup it.
※ Please make sure the battery voltage and noise, they may cause irregular behavior.
※ CPU boards are required pull up resister and change direction as input/output in order to use position capture function.


## for repair

Please send defect products with following message.
(1) Status of your problem
(2) Situation of your usage

## Contact

Kondo Kagaku Co., Ltd.
4-17-7 Higashi-nippori, Arakawa-ku, Tokyo
116-0014 Japan
TEL : +81-3-3807-7751
(3) Product number and quantity
(4) Your name, address, telephone number

## FAULHABER

## DC-Micromotors

Precious Metal Commutation

## 2 mNm

For combination with (overview on page 14-15) Gearheads:
15A, 16A, 16/7
Encoders:
IE2 - 16 ... 512


Orientation with respect to moto terminals not defined



1717 T


### 16.2 Piher PTC 10 LV

This is the datasheet for the Piher PTC 10 LV potentiometers to be used for angle detection. Using a potentiometer with "E" option is advisable since these have higher mechanical lifetime. The pin drawings fit to the "L" rotors.

## FEATURES

- Cermet resistive element.
- Dust proof enclosure.
- Plastic material according to UL94V-0
- Alumina substrate.
- Also upon request:
- Wiper positioned at $50 \%$ or fully clockwise.
- Supplied in magazines for automatic insertion.
- Long life model for low cost control pot. applications
- Special tapers
- Mechanical detents
- Low \& extra low torque versions
- Available as SPDT switch
- Laser trimming for tighter tolerances


## MECHANICAL SPECIFICATIONS

- Mechanical rotation angle:
$235^{\circ} \pm 5^{\circ}$
- Electrical rotation angle:
- Torque:
- Stop torque:
$220^{\circ} \pm 20^{\circ}$
0.4 to 2 Ncm .
( 0.6 to 2.7 in-oz)
$>5 \mathrm{Ncm}$. $>7 \mathrm{in}-\mathrm{oz}$ )


## ELECTRICAL SPECIFICATIONS

- Range of values (*)
$100 \Omega \leq \mathrm{Rn} \leq 5 \mathrm{M}$ (Decad. 1.0-2.0-2.2-2.5-4.7-5.0)
- Tolerance (*): $100 \Omega \leq \operatorname{Rn} \leq 1 \mathrm{M} \Omega \ldots-\ldots \pm 20 \%$
$1 \mathrm{M} \Omega<\mathrm{Rn} \leq 5 \mathrm{M} \Omega \ldots \ldots+30 \%$
- Max. Voltage: 200 VDC (lin) 100 VDC (no lin)
- Nominal Power $70^{\circ} \mathrm{C}\left(158^{\circ} \mathrm{F}\right)$ (see power rating curve) 0.33 W (lin) 0.17 W (no lin)
- Taper (*) (Log. \& Alog. only Rn $\geq 1 \mathrm{~K}$ ) Lin ; Log; Alog.
- Residual resistance: $\leq 5.10^{-3} \mathrm{Rn}(2 \Omega \mathrm{~min}$.)
- Equivalent Noise Resistance: $\leq 3 \% \operatorname{Rn}(3 \Omega \mathrm{~min}$.)
- Operating temperature: $-40^{\circ} \mathrm{C}+90^{\circ} \mathrm{C}\left(-40^{\circ} \mathrm{F}+194^{\circ} \mathrm{F}\right)$
(*) Others upon request


## HOW TO ORDER

STANDARD
OPTIONAL EXTRAS


NOTES:
(1) "Z" adjustment only available on "H" versions. Rotor "G" only available in purple (shaft/rotor colour "VI").
(2) Terminal styles: "P" \& "J" are crimped terminals. V=Vertical adjust; H=Horizontal Adjust
(3) Value Example: Code: $101=100 \Omega$
$\rightarrow$ Numb of zeros
$\rightarrow$ First two digits of the value. $000=\mathrm{CM}:$ SPDT switch $45^{\circ}$
(4) Non standard tolerance, upon request. Example: $+7 \%$ Code: 0705
(5) Life • Standard 100 cycles $-5 \% \quad \longrightarrow$ negative tolerance
(6) Magazines: not available with the H10, V05 and V13 models, nor with adjustment types X, W, Y, Z. Non flammable: housing, rotor and shaft.
(7) Colour shaft/rotor: - Potentiometer without shaft: only rotor • Potentiometer with shaft: only shaft
(8) Low Torque: 0.25 to 1 Ncm (per pot.)

Extra Low Torque: 0.1 to 0.4 Ncm (per pot.). Only available on " H " models without crimping No detent option available for low and extra low torque models. No shaft or thumbwheel option for extra low torque models.

NOTE: The information contained here should be used for reference purposes only.


## MOUNTING METHODS

$\mathbf{v}=$ horizontal mount - vertical adjust
$\mathbf{V}(10) \quad \mathbf{A}=$ Initial $\quad \mathbf{S}=$ Wiper $\quad \mathbf{E}=$ Final
$\mathbf{h}=$ vertical mount - horizontal adjust

h $(2,5)$
$\mathbf{S}=$ Wiper
$\mathbf{E}=$ Final


h (5)
Crimped terminals

## OPTIONS



## TAPERS

## POWER RATING CURVE



Standard


Special example


NOTE $=$ Please note relative terminal positions when ordering non linear tapers.

| TESTS |  | TYPICAL VARIATIONS |
| :--- | :--- | :--- |
| ELECTRICAL LIFE | $1.000 \mathrm{~h} . @ 70^{\circ} \mathrm{C} ; 0.33 \mathrm{~W}$ | $\pm 5 \%$ |
| MECHANICAL LIFE (CYCLES) | $100 @ 10 \mathrm{CPM} \ldots 15 \mathrm{CPM}$ | $\pm 3 \%(\mathrm{Rn}<1 \mathrm{M} \Omega)$ |
| TEMPERATURE COEFFICIENT | $-40^{\circ} \mathrm{C} ;+90^{\circ} \mathrm{C}$ | $\pm 100 \mathrm{ppm}(\mathrm{Rn}<100 \pm \mathrm{K})$ |
| THERMAL CYCLING | $16 \mathrm{~h} . @ 90^{\circ} \mathrm{C} ; 2 \mathrm{~h} . @-40^{\circ} \mathrm{C}$ | $\pm 2.5 \%$ |
| DAMP HEAT | $500 \mathrm{~h} . @ 40^{\circ} \mathrm{C} @ 95 \% \mathrm{HR}$ | $\pm 5 \%$ |
| VIBRATION (for each plane X,Y,Z) | $2 \mathrm{~h} . @ 10 \mathrm{~Hz} . \ldots 55 \mathrm{~Hz}$. | $2 \%$ |

NOTE: Out of range values may not comply these results.

## PACKAGING



Magazines for PTC-10 h 2.5; h 5
Also crimped term. h 2.5 P

AUTOMATIC INSERTION

| Magazines | Units |
| :---: | :---: |
| PTC-10H \& PTC-10V | 50 Pieces |

Magazines for PTC-10 V

Also crimped term. VP


Fig. 1 / Ref. 5016


Fig. 12 / Ref. 6052

Fig. 7 / Ref. 5115



Fig. 2 / Ref. 5053


Fig. 8 / Ref. 5116


Fig. 13 / Ref. 5121


Fig. 3 / Ref. 5012


Fig. 9 / Ref. 5119


Fig. 4 / Ref. 6053


Fig. 6 / Ref. 5035


## THUMBWHEELS



Fig. 5 / Ref. 5034


Fig. 15 / Ref. 6008


Fig. 16 / Ref. 5039


Fig. 17 / Ref. 5062

### 16.3 Cables

Cables used for force transmission from motors to the legs - part number 26 ( $d=$ $0.63, l \approx 220$ ): Câbles Inox AISI 316, Construction 7x7 (page 19)

## Edelstahlseil 1.4401

Stainless steel wire rope AISI 316
Câbles Inox AISI 316

## Konstruktion $7 \times 7$

Construction $7 \times 7$

| Nenn- $\phi$ <br> Nom. dia Dia nom. <br> mm | Mindestbruchkraft Min. break. Ioad Charge rupt. min. | Gewicht <br> Weight Poids <br> kg/1000 m | Best.-Nr. <br> Ref. No. Réf. |
| :---: | :---: | :---: | :---: |
| $\begin{aligned} & 0,12 \\ & 0,18 \\ & 0,27 \end{aligned}$ | $\begin{aligned} & 10 \\ & 15 \\ & 59 \end{aligned}$ | $\begin{aligned} & 0,060 \\ & 0,130 \\ & 0,290 \end{aligned}$ | $\begin{aligned} & \text { CG } 077012 \\ & \text { CG } 077018 \\ & \text { CG } 077027 \end{aligned}$ |
| $\begin{aligned} & 0,36 \\ & 0,45 \\ & 0,54 \end{aligned}$ | $\begin{aligned} & 103 \\ & 162 \\ & 235 \end{aligned}$ | $\begin{aligned} & 0,520 \\ & 0,800 \\ & 1,200 \end{aligned}$ | $\begin{aligned} & \text { CG } 077036 \\ & \text { CG } 077045 \\ & \text { CG } 077054 \end{aligned}$ |
| $\begin{aligned} & 0,63 \\ & 0,72 \\ & 0,81 \end{aligned}$ | 324 $422^{* *}$ $440^{* *}$ | $\begin{aligned} & 1,600 \\ & 2,100 \\ & 2,600 \end{aligned}$ | $\begin{aligned} & \text { CG } 077063 \\ & \text { CG } 077072 \\ & \text { CG } 077081 \end{aligned}$ |
| $\begin{aligned} & 0,90 \\ & 1,00 \\ & 1,20 \end{aligned}$ | $\begin{array}{r} 647 \\ 785 \\ 1075 \\ \hline \end{array}$ | $\begin{aligned} & 3,200 \\ & 3,900 \\ & 5,000 \end{aligned}$ | $\begin{aligned} & \text { CG } 077090 \\ & \text { CG } 077100 \\ & \text { CG } 077120 \end{aligned}$ |
| $\begin{array}{r} 1,35 \\ 1,50 \\ 1,80 \\ \hline \end{array}$ | $\begin{aligned} & 1274 \\ & 1800 \\ & 1820^{*} \end{aligned}$ | $\begin{aligned} & 7,200 \\ & 9,200 \\ & 12,7 \end{aligned}$ | $\begin{gathered} \text { CG } 077135 \\ \text { CG } 077150 \\ 01551018 \end{gathered}$ |
| $\begin{aligned} & 2,0 \\ & 2,5 \\ & 3,0 \end{aligned}$ | $\begin{aligned} & 2260^{*} \\ & 3360^{*} \\ & 5060^{*} \end{aligned}$ | $\begin{aligned} & 15,7 \\ & 24,6 \\ & 35,4 \end{aligned}$ | $\begin{aligned} & 01551020 \\ & 01551025 \\ & 01551030 \\ & \hline \end{aligned}$ |
| $\begin{aligned} & 4,0 \\ & 5,0 \\ & 6,0 \end{aligned}$ | $\begin{array}{r} 9010^{*} \\ 14100^{*} \\ 20300^{*} \end{array}$ | $\begin{array}{r} 62,9 \\ 98,3 \\ 142,0 \end{array}$ | $\begin{aligned} & 01551040 \\ & 01551050 \\ & 01551060 \end{aligned}$ |

* Festigkeitsklasse $1570 \mathrm{~N} / \mathrm{mm}^{2}$. **nur in Werkstoff 1.4301 lieferbar.
* Tensile strength $1570 \mathrm{~N} / \mathrm{mm}^{2} . \quad{ }^{* *}$ only available in AISI 304
* Fils de résistance 1570 N/mm². **Existe seulement en AISI 304

Edelstahlseil 1.4401
Stainless steel wire rope AISI 316
Câbles Inox AISI 316
Konstruktion $8 \times 7+1 \times 19$
Construction $8 \times 7+1 \times 19$


## Diese und andere Sonderkonstruktionen fertigen wir auf Anfrage. Mindestmengen erforderlich.

This and other special constructions are available on request. Minimum production quantities apply.
Cette construction ainsi que d'autres constructions spéciales sont fabriquées à la demande.

|  | Edelstahlseil 1.4401 <br> Stainless steel wire rope AISI 316 Câbles Inox AISI 316 |  |  |
| :---: | :---: | :---: | :---: |
|  | Konstruktion $8 \times 19+7 \times 7$ <br> Construction $8 \times 19+7 \times 7$ |  |  |
| Nenn- $\varnothing$ | Mindestbruchkraft | Gewicht | Best.-Nr. |
| Nom. dia Dia nom. | Min. break. load Charge rupt. min. | Weight Poids | Ref. №. Réf. |
| mm | $N$ | kg/1000 m |  |
| 0,57 | 247 | 1,170 | CG 819057 |
| 0,76 | 473 | 2,120 | CG 819076 |
| 0,95 | 687 | 3,200 | CG 819095 |
| 1,14 | 946 | 4,720 | CG 819114 |
| 1,33 | 1279 | 6,400 | CG 819133 |
| 1,52 | 1847 | 8,340 | CG 819152 |
| 1,76 | 2100 | 10,360 | CG 819176 |

Diese und andere Sonderkonstruktionen fertigen wir auf Anfrage. Mindestmengen erforderlich.
This and other special constructions are available on request. Minimum production quantities apply.
Cette construction ainsi que d'autres constructions spéciales sont fabriquées à la demande.

Alle Litzen und Drahtseile werden, falls nicht anders angegeben, in der Festigkeitsklasse von $1770 \mathrm{~N} / \mathrm{mm}^{2}$ geliefert.
Unless otherwise specified, all strands and ropes are manufactured with a tensile strength of $1770 \mathrm{~N} / \mathrm{mm}^{2}$.
Tous les torons et câbles sont réalisés avec des fils de résistance $1770 \mathrm{~N} / \mathrm{mm}^{2}$ sauf mention contraire.


[^0]:    ${ }^{1}$ Puppy II has a passively compliant knee joint. Since the leg can't be actively retracted only hopping gaits are possible. The new design should be able to do walk, trot, pace and other gaits.

[^1]:    ${ }^{2}$ Puppy II features a compliant, passive, two-segment leg, each leg is actuated at the hip joint by a strong RC servo motor. Puppy (I) features a compliant three-segment leg design with an actuated knee joint, however the knee actuator is attached at the knee and not proximal, as aimed in this project.

[^2]:    ${ }^{3}$ The interesting diagram Fig. 2 in [11] was plotted for a dog with leg length $h=0.5 \mathrm{~m}$, assuming a maximal Froude number (Eq. 16) of 2 (corresponding to gallop, Table 2) the maximal half-angle swept during stance $\theta$ amounts to $\theta=35^{\circ}=90^{\circ}-\beta_{\text {attack }}$ which results in the angle of attack $\beta_{\text {attack }} \geq 55^{\circ}$
    ${ }^{4}$ Kondo KRS-2350 ICS motors have a maximum angular velocity of $0.16 \mathrm{sec} / 60^{\circ}$ at no load

[^3]:    ${ }^{5}$ Note that at this point, the friction forces in the cable had not yet been estimated - they were simply assumed to be negligible, the force having a torque twice as large as required.

[^4]:    ${ }^{6}$ A force of about $F=12 \mathrm{~N}$ and a lever length of $l=5 \mathrm{~mm}$, based on the foot geometry, are assumed this results in a torque of $M=F \cdot l=12 \cdot 5 \cdot 10^{-3}=0.06 \mathrm{Nm}$

[^5]:    ${ }^{7}$ Why not use one single array containing a structure? Well, the compiler allows doing so but the binary it produces does not work at all as it should. This is why a specifically adapted quicksort and two arrays is used - one array contains the setpoints and the other the output pin addresses. Both are sorted at the same time according to the data in the first one.

[^6]:    ${ }^{8}$ The maximum current that can be drawn from a LiPo battery is usually given in relation to it's capacity in Ah. If a maximum current of 2C is specified, one can draw currents up to $2 \cdot 1800 \mathrm{~mA}=3.6 \mathrm{~A}$ from a $1800 m A h$ battery.
    ${ }^{9}$ Note however that the importer specifications usually differ from what the manufacturer specifies.

[^7]:    10http://www.conrad.de

[^8]:    ${ }^{11}$ Looking at bicycles, one cable end is a metal clod. For bicycles this end is mounted first - for the Cheetah robot a similar system could be used. Mounting the other (screw-mounted) end first is a possibility, the leg spring would ensure that the cable stays in position.

[^9]:    ${ }^{12}$ Note that if the connectors are both on the same side of the cable, either the connector on the PIC or the connector on the connector board has to be mounted the wrong way around (turned by $180^{\circ}$ )

